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# NEAR EARTH MAGNETIC DISTURBANCE IN TOTAL FIELD AT HIGH LATITUDES

## II. INTERPRETATION OF DATA FROM OGO'S 2, 4, AND 6

R. A. LANGE

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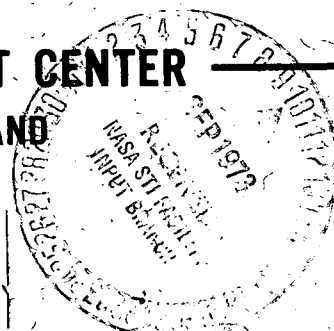
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by

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ABSTRACT

Variations in the scalar magnetic field ( $\Delta B$ ) from the polar orbiting OGO 2, 4, and 6 spacecraft, with supporting vector magnetic field data from surface observatories, are analyzed at dipole latitudes above  $55^\circ$ . Data from all degrees of magnetic disturbance are included with emphasis on periods when  $K_p = 2^-$  to  $3^+$ . Although individual satellite passes, at low altitudes, confirm the existence of electrojet currents, neither individual satellite passes nor contours of average  $\Delta B$  are consistent with latitudinally narrow electrojet currents as the principal source of  $\Delta B$  at the satellite. The total field variations at the satellite form a region of positive  $\Delta B$  between about  $22^h$  and  $10^h$  MLT and a region of negative  $\Delta B$  between about  $10^h$  and  $22^h$  MLT. Further characteristics are given by Langel (1973b). The ratio of  $\Delta B$  magnitudes in these positive and negative regions is variable. The characteristics of the negative  $\Delta B$  region indicate a latitudinally broad ionospheric source. Equivalent current systems were derived from satellite data in the negative  $\Delta B$  region for summer, winter, and equinox seasons for  $K_p = 2^-$  to  $3^+$ . Comparison of the surface magnetic disturbance caused by the equivalent current with the measured average surface disturbance shows good

agreement except in localized details. Because  $\Delta B$  decreases very slowly with altitude in the positive  $\Delta B$  region, it is not possible to account for this disturbance in terms of ionospheric currents. The contribution to the satellite  $\Delta B$  due to a model electrojet, which reproduced the measured average surface horizontal disturbance, was computed. When the contribution to  $\Delta B$  from this model electrojet is removed from the measured satellite  $\Delta B$ , the remaining  $\Delta B$  is constant with altitude within experimental error. This non-electrojet  $\Delta B$  is estimated to be about  $50-80\gamma$ ,  $20-30\gamma$ , and  $7-15\gamma$ , respectively, for  $K_p \geq 4^-$ ,  $2^-$  to  $3^+$ , and  $1^-$  to  $1^+$ . It is concluded that most, if not all, of the non-electrojet positive  $\Delta B$  is extra-ionospheric in origin. Some of this non-ionospheric  $\Delta B$  is caused by the Equatorial Current Sheet (Ring Current), but some data cannot be accounted for in terms of this source. Definitive identification of all sources of positive  $\Delta B$  is not possible at this time.

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# NEAR EARTH MAGNETIC DISTURBANCE IN TOTAL FIELD AT HIGH LATITUDES

## II. INTERPRETATION OF DATA FROM OGO'S 2, 4, AND 6

### INTRODUCTION

This paper is an analysis of high latitude magnetic field data from the Polar Orbiting Geophysical Observatory (POGO) satellites OGO 2, 4, and 6, supplemented by data from magnetic observatories on the earth's surface. "High latitude" is defined as auroral belt and polar cap latitudes (invariant latitudes above about  $55^\circ$ ). The POGO magnetometers measured the magnitude, but not the direction, of  $\vec{B}$ . The quantity analyzed is  $\Delta B = |\vec{B}| - |\vec{M}|$ , where  $\vec{M}$  is a mathematical model of the quiet time field. A summary of the accuracy of  $|\vec{B}|$ , the characteristics of the field model (denoted POGO(8/71)) used for  $\vec{M}$ , and the average characteristics of  $\Delta B$  are given in a companion paper (Langel, 1973b) which will henceforth be denoted paper I.

Paper I describes the average characteristics of  $\Delta B$  as a function of geomagnetic season, Kp, and altitude. Geomagnetic season was defined relative to the dipole latitude of the sub-solar point,  $\theta_{\text{sun}}$ , namely:

$$\begin{aligned} |\theta_{\text{sun}}| &< 10^\circ \text{ is equinox,} \\ \theta_{\text{sun}} &> 10^\circ \text{ is northern summer, and} \\ \theta_{\text{sun}} &< -10^\circ \text{ is northern winter.} \end{aligned}$$

Data subdivision by Kp was into four levels: (1) Kp = 0 to  $0^+$ , (2) Kp =  $1^-$  to  $1^+$ , (3) Kp =  $2^-$  to  $3^+$ , and (4) Kp  $\geq 4^-$ . Data division by altitude was into the ranges

<550 km., 550-700 km., 700-900 km., and >900 km. For details regarding the spacecraft and experiment, the data accuracy, and the statistics of the averaging process, the reader should consult paper I and the references therein.

In paper I it was shown that the basic pattern of  $\Delta B$  is a positive disturbance between 22<sup>h</sup> and 10<sup>h</sup> MLT (magnetic local time) and a negative disturbance between 10<sup>h</sup> and 22<sup>h</sup> MLT. These regions were designated the positive  $\Delta B$  region and the negative  $\Delta B$  region, respectively. Both regions have broad maxima. In the positive  $\Delta B$  region the maximum is between 2<sup>h</sup> and 5<sup>h</sup> MLT, and in the negative  $\Delta B$  region it is between 14<sup>h</sup> and 18<sup>h</sup> MLT. Equatorward of approximately 65°,  $\Delta B$  reverses weakly, i.e., the peak value in the reversed region is usually much less than one fifth the magnitude of the peak value in the poleward region. As an example, Figure 1 shows average  $\Delta B$  contours in the northern hemisphere for  $K_p = 2^-$  to  $3^+$ . These averages are for the usual (geographic) equinox months (summer = May through Aug.; winter = Nov. through Feb.; equinox = Mar., Apr., Sept., Oct.). Comparison with Figure 2 of paper I for geomagnetic equinox shows no substantial differences between the averages for the two definitions of season; this is also true for the other seasons and  $K_p$  ranges. The major characteristics of  $\Delta B$  are noted in paper I and will not be repeated here.

#### Previous Results from Surface Data

Magnetic disturbance measured at surface observatories are conveniently represented by equivalent current systems (i.e., systems of currents in the E-region ionosphere which would cause the magnetic variations observed on the

ground). Two categories of such current systems exist, namely: (1) those systems which contain intense currents confined to about  $6^\circ$  or less in latitudinal extent, flowing along the statistical auroral belts, and (2) those systems in which all dimensions are spatially broad and in which sharp boundaries through which large changes in current magnitude occur are not present. The first category will be referred to as an "electrojet system" or a jet-type current throughout this study. Current closure from the jet-type currents may occur via spatially broad currents.

The dominant magnetic field variations at high latitudes are thought to be due to a system of currents called the "auroral (or polar) electrojet system" which falls into category (1) above. Figure 2 (a combination of a figure from Feldstein, 1969, and one from Sugiura and Heppner, 1972) shows, schematically, four equivalent current systems discussed in the literature in recent years. A feature of all four systems is a high concentration of westward current, the westward electrojet, in the  $22^h$  to  $6^h$  MLT (magnetic local time) region. Three of these systems (a, c, and d) include an eastward electrojet in the evening. Current closure is shown to occur at lower latitudes and over the polar cap. Although closure of actual current flow is probably not confined to the ionosphere (see e.g. Heppner et al., 1971), it is widely believed that electrojet currents (particularly the westward electrojet) do indeed flow in the ionospheric E-region. Those observed features of observatory magnetic data (e.g. Heppner, 1954) which are represented by the equivalent current systems of Figure 2 include: (1) positive variations in H (the horizontal component of the field) in the evening

auroral belt ( $\sim 19^{\text{h}} - 23^{\text{h}}$  MLT), (2) negative variations in H in the morning auroral belt ( $\sim 23^{\text{h}} - 6^{\text{h}}$  MLT), and (3) a horizontal variation approximately directed from  $2^{\text{h}}$  to  $14^{\text{h}}$  MLT across the polar cap. Positive and negative variations in H are called "bays" because the  $\Delta H$  trace on a magnetogram often resembles a topographic bay. A reversal in  $\Delta Z$  (the magnetic variation in the vertical direction) occurs in the auroral belt near the latitude of maximum  $\Delta H$ .

Stagg (1935) noted that the magnitude of high latitude magnetic disturbances is larger in summer months than in winter months. This relationship was investigated by Meng and Akasofu (1968) using the near conjugate pairs of stations College - Macquarie and Reykjavik - Syowa. They found that the ratio of peak magnitudes of positive bays of the summer station to the winter station ranged from 1 to 5 with the average equal to 2. A tendency exists for the ratio to decrease as time progresses from early afternoon to midnight. Ratios for negative bays were closer to one. They concluded that the conductivity in the positive bay region is controlled by solar radiation rather than particle precipitation. Kamide and Fukushima (1972) suggest two types of positive bays: (1) a broad variation in the evening sector which is controlled by ionization due to solar radiation and exhibits a large seasonal change and (2) event-type bays in the nightside auroral region. The event-type bays did not show a seasonal variation.

Fukushima (1962), using individual station K-indices, showed that magnetic disturbance is present in the sunlit polar cap region, even during periods of magnetic quiet at lower latitudes. He noted a large seasonal variation in this

polar cap disturbance from  $10\text{--}20\gamma$  in winter to  $50\text{--}200\gamma$  in summer. Further study of quiet time polar cap disturbance was carried out by Nagata and Kokubun (1962), who derived the quiet day current system shown in Figure 3 (a and b). This is an example of a current system with broad spatial dimensions and no electrojet. They also analytically extended the low latitude  $S_q$  current system to high latitudes and subtracted it from the current of Figure 3 (a and b). The resulting current system was called  $S_q^p$ . In contrast to the current shown in Figure 3 (a and b), Kawasaki and Akasofu (1967) and Feldstein and Zaitzev (1967, 1968) find no disturbance near midnight during quiet intervals; rather the disturbance is confined to the sunlit portion of the polar cap. The resulting single vortex current system of Feldstein and Zaitzev, called DPC, is shown in Figure 3c.

Nishida and co-workers (1966) noted that certain fluctuations in polar cap and equatorial magnetic field occur in-phase. Analysis of such data (see also Nishida, 1968a, b, 1971; Nishida and Maezawa, 1971) led these workers to identify these disturbances with  $S_q^p$ , except that they noted that the disturbance is worldwide and not confined to the polar regions. An example of the current system, called DP2 or SP, derived by Nishida and co-workers is given in Figure 3 (d and e).

Noting that the seasonal change in  $S_q^p$  is very much like the seasonal change in positive bay intensity found by Meng and Akasofu (1968), Kokubun (1971) suggests that the eastward current causing positive bays is more like  $S_q^p$  than like

a jet-type current, i. e. , broad in latitudinal extent rather than jet-like, and conductivity controlled by solar radiation rather than particle precipitation.

### Features of the Present Study

Although other "types" of magnetic variation do occur at high latitudes, those due to the electrojet system are predominant. Transverse ionospheric conductivities above the E-region are small (both electrons and protons move essentially with an  $\vec{E} \times \vec{B}$  drift), and magnetospheric currents (ring current, tail current, magnetopause currents) are at large distances from the low orbiting (400 - 1510 km.) POGO. Because POGO is much closer to the E-region than to other known sources, and because of the dominance of the electrojet system in the observatory data, it was expected that the main cause of  $\Delta B$  at the POGO would be the electrojet system. This study, however, will show that the principal source for  $\Delta B$  at the POGO cannot be a jet-type current.

With the exceptions of some rocket-borne magnetic field measurements and a limited number of single component transverse magnetic field measurements from satellite, previous studies of high latitude magnetic fields have utilized data only at the earth's surface. The POGO data makes it possible to study average magnetic field characteristics as a function of altitude. Knowledge of the altitude dependence of magnetic variations enables us to demonstrate that certain magnetic variations are ionospheric in origin while others are not. Additional features of the data include: (1) the possibility of direct comparison of POGO data above the ionospheric E-region with observatory data below the

ionosphere as the satellite passes over individual observatories, and (2) the ability to obtain a closely spaced latitude profile across the auroral belt in about 5 minutes, a time short enough so that most of the measured magnetic variations are spatial rather than temporal.

Although a unique resolution of the measured disturbance into portions due to individual sources is not attainable, it is possible to show some of the major characteristics of the sources which produce a  $\Delta B$  variation at POGO altitudes. In particular, we will show that: (1) the source of  $\Delta B$  at sunlit local times, particularly from about  $10^h$  to  $18^h$  MLT, is an ionospheric current with characteristics similar to those of the DPC current system proposed by Feldstein and co-workers (Figure 3c) for quiet summer days, and with seasonal properties similar to those found for these MLT by Stagg (1935), Fukushima (1962), Negata and Kokubun (1962), and Meng and Akasofu (1968), and (2) the dominant source of  $\Delta B$  from  $21^h$  to  $9^h$  MLT is not ionospheric in origin, although the westward electrojet does contribute.  $\Delta B$  from both the eastward and westward electrojets is apparent in the low altitude POGO data, and such data will be discussed in a subsequent paper, but these sources are not the main contributors to  $\Delta B$ .

#### GENERATION OF EQUIVALENT CURRENTS

It was shown in paper I that  $\Delta Z \doteq \Delta B$  is a good approximation at the latitudes considered. Using this assumption, it is possible to compute a potential,  $V_e$ , which represents the disturbance field at satellite altitudes. The assumption  $\Delta B \doteq \Delta Z$  is tested by computing the vector disturbance from  $V_e$  and comparing

the resulting  $\Delta B$  and  $\Delta Z$ . As will be shown,  $\Delta Z$  and  $\Delta B$  from this computation are nearly equal, which gives justification to the procedure. If a further assumption is made that the source currents for the field described by  $V_e$  flow at 115 km., it is possible to derive a current function,  $\psi$ , which describes the required currents, and a potential function,  $V_i$ , which describes the disturbance due to the currents,  $\psi$ , at altitudes below 115 km. In particular,  $V_i$  can be used to compute the vector disturbance field due to  $\psi$  at the earth's surface.

Determinations of the disturbance functions  $V_e$ ,  $V_i$ , and  $\psi$  were carried out for each season and for all  $K_p$  ranges. Comparison of the altitude dependence of the measured  $\Delta B$  and the  $\Delta B$  predicted by  $V_e$  showed that the altitude variation in the positive  $\Delta B$  region could not be reproduced by this type of current system for any season and  $K_p$  range. For example, Figure 4 shows the altitude variation of the contours of maximum disturbance from both the average data and for the field from  $V_e$  for the (geographic) equinox and summer months for  $K_p = 2^-$  to  $3^+$ . The computed altitude variation in the positive  $\Delta B$  region falls off far more rapidly with altitude than does the measured altitude variation. In the negative  $\Delta B$  region the altitude variation is reproduced in a reasonable fashion. The inability to reproduce  $\Delta B$  in the positive  $\Delta B$  region is not surprising in view of the small decrease in  $\Delta B$  with altitude discussed in paper I.

Another shortcoming of the derived current system in the positive  $\Delta B$  region is that the resulting disturbance at the earth's surface largely disagrees with the measured average disturbance (Langel, 1973a) at the earth's surface.



It is concluded that the positive  $\Delta B$  region cannot be accounted for by a current system of the type derived here because of a breakdown of the assumption that all currents are located below satellite altitudes.

#### EQUIVALENT IONOSPHERIC CURRENTS AS SOURCES FOR THE NEGATIVE $\Delta B$ REGION

As the altitude variation of  $\Delta B$  from the derived potential function is in agreement with the measured altitude variation in the negative  $\Delta B$  region, current systems are derived for this region only. Contours computed from the resulting  $V_e$  for months 3, 4, 9 and 10 for  $K_p = 2^-$  to  $3^+$  are shown in Figure 5.  $\Delta B$  is given by the solid contours, and  $\Delta Z$  is given by the dashed contours. Comparison indicates that  $\Delta Z$  and  $\Delta B$  are close enough to give confidence in the procedure used.

Figure 5 is to be compared with the measured negative  $\Delta B$  regions in Figure 1. Computed contours for months 11, 12, 1, 2 and for months 5, 6, 7, 8 have also been compared with the corresponding measured data. In all cases the major features of the computed contours are in good agreement with the major features of the measured contours. In particular, measured and computed amplitude levels at all altitudes are generally within  $5\gamma$ , which is as close as would be expected considering the uncertainties in the data and the assumptions in the determination of  $V_e$ .

Figure 6 shows contours of the current functions derived for each season and drawn so that  $10^4$  amps flows between contour lines. Arrows on certain

flow lines indicate current direction. The current patterns in Figure 6 are quite similar to DPC and to the dayside vortices of  $S_q^P$  and DP2 (Figure 3). The current systems derived in this chapter will be denoted as HLS (High Latitude, Sunlit) for convenience of discussion.

#### Comparison of the Surface Disturbance from HLS to the Measured Surface Disturbance

A test of the reality of HLS is to compare the surface disturbance which HLS would cause to the measured surface disturbance. Langel (1973a) published average surface disturbance patterns for the same Kp ranges and geomagnetic seasons for which average satellite  $\Delta B$  patterns have been computed for the POGO data. The surface data was also subdivided by interplanetary magnetic sector. Differences in  $\Delta B$  between interplanetary magnetic sectors do occur in the POGO data and will be discussed in a subsequent paper. In this section the computed surface disturbance from HLS for summer,  $K_p = 2^-$  to  $3^+$ , for both Away and Toward interplanetary magnetic sectors, is compared with the corresponding measured average surface data from Langel (1973a).

The computed  $\Delta Z$  is shown in Figure 7 and the computed vector horizontal field is shown in the bottom portions of Figures 9 and 10. The actual average surface disturbance (from Langel, 1973a), which did not enter the computation determining  $\psi$  and  $V_i$ , is shown in the top portions of Figures 8, 9, and 10. Comparing first Figure 7 with Figure 8, results for the Toward sector are remarkably similar for MLT  $12^h$  to  $18^h$ . The major differences are that the

maximum contour of the measured data is  $-160\gamma$ , while that of the computed curve is  $-130\gamma$ ; and, the measured maximum is near  $14^h$ , whereas the computed maximum is near  $16^h$ . The correspondence of the lower latitude positive  $\Delta Z$  is even closer. The separate disturbance peak near  $20^h$  from the measured data is not evident on the computed curve.

For Away sectors the correspondence is not as good. Two maxima near  $-100\gamma$  are evident in the measured data near  $11^h$  and  $16^h$ , while one maximum of greater than  $-140\gamma$  near  $15-16^h$  is evident in the computed curve, which accurately reflects the measured  $\Delta B$  at the satellites. Langel (1973a) noted that the surface disturbance near  $11^h$  was consistent with a more localized current. The disturbance at satellite altitude from such a current would decrease in amplitude more rapidly with distance than would the disturbance from a more widespread current. Furthermore, as the vertical distance from the "two" sources (i.e., spatially broad current near  $16^h$  and spatially limited current near  $11-12^h$ ) increases to a distance comparable with their horizontal separation, the integration of disturbance from the two sources will cause the combined disturbance to merge into one peak. In view of this effect and the small spatial extent of the dayside peak in the measured data, the calculated result is considered to be in fair agreement with the measured data.

Comparison of the measured horizontal disturbance with the computed disturbance in Figures 9 and 10 shows a remarkable similarity both in direction and magnitude. From  $16^h$  to  $20^h$  the magnitude of positive bays is greater for

Toward than Away sectors for both the measured data and the disturbance due to the HLS currents. Directions are comparable except near  $14\text{--}16^{\text{h}}$  and  $80^{\circ}\text{--}84^{\circ}$  for Away sectors, where the measured vectors are directed toward the west or south and the computed vectors are directed toward the east. These measured vectors are one of the evidences for the localized current near  $11^{\text{h}}$  (Langel, 1973a) which would not be detected in  $\Delta B$  at the altitude of the POGO. Note also that the Y component of the computed vectors in the positive bay region is in the same direction as the measured Y component, except near  $70^{\circ}$  between  $12^{\text{h}}$  and  $14^{\text{h}}$ .

The horizontal disturbance magnitude on the dawn side of the polar cap is considerably smaller for the computed vectors than for the measured vectors because the current associated with the positive  $\Delta B$  region or the westward electrojet has not been included.

It should be emphasized that HLS is an equivalent current system. High conductivity gradients between the nightside and sunlit polar cap and at the edges of regions of ionizing particle precipitation make it unlikely that the actual current flow in these regions is as smooth as HLS. Because of the agreement with surface data, however, it is concluded that, with necessary modification to account for gradients in electric field and conductivity, and the resulting magnetic field aligned currents, a current system with characteristics similar to HLS is a common feature of the ionosphere and can account for both the negative  $\Delta B$  region in the POGO data and for the average characteristics of positive bays at the earth's surface from about  $12\text{--}18^{\text{h}}$  MLT.

## The Direction of Ionospheric Current Over the Polar Cap

Most equivalent current systems derived from observatory data show current flow approximately directed from 20<sup>h</sup> to 8<sup>h</sup> MLT across the polar cap (see, e.g., Figure 2). Electric field measurements using barium clouds (Heppner et al., 1971) have indicated that nightside polar cap electric fields are directed nearly dawn to dusk. Such an electric field would result in a Hall current directed from 0<sup>h</sup> to 12<sup>h</sup> and a Pedersen current directed from dawn to dusk. No combination of currents in these directions can result in a current directed from 20<sup>h</sup> to 8<sup>h</sup>. (Surface magnetic field disturbance during the time when the barium measurements were made were roughly consistent with a 20<sup>h</sup> to 8<sup>h</sup> overhead current direction, which could not have resulted from the measured electric field direction.) The direction of the HLS current over the polar cap (Figure 6) is more nearly midnight to noon than previous equivalent current systems, but still seems to be in some disagreement with the electric field directions. These HLS directions, derived only from POGO magnetic field data, are in good agreement with the average surface data, which confirms the current flow direction. Heppner et al., (1971) proposed a solution to this directional discrepancy based on the distribution of field aligned currents. As will be shown, however, such currents do not seem to be able to cause a horizontal magnetic disturbance of the required amplitude.

Because real current flow in the dark portion of the polar cap may be different from HLS (see the discussion of conductivity gradients in the previous

section), and because the electric field measurements cited are limited in local time (to the nightside, near twilight) and latitude, the extent of the discrepancy is not presently known. Recent average electric potential patterns derived by Bohse and Aggson (1973) are skewed from noon-midnight in a direction more consistent with the magnetic field data. These patterns, however, have a large degree of uncertainty and so are not conclusive. Maynard (personal communication) has recently measured the perpendicular electric field in the polar cap near noon with a rocket-borne instrument. In this instance, the electric field was directed roughly from  $4^{\text{h}} 30^{\text{min}}$  to  $16^{\text{h}} 30^{\text{min}}$  MLT, which more closely agrees with the magnetic data than does the barium results. A discrepancy of about  $20^\circ$  exists between the electric field at the rocket and the direction of the overhead Hall current required to produce the measured surface magnetic disturbance below the rocket. The existence of an overhead Pedersen current would widen the discrepancy. Final resolution of this problem will have to await extensive vector electric field measurements and vector magnetic field measurements from low altitude satellites.

## SEPARATION OF POSITIVE $\Delta B$ SOURCES

### A Numerical Model Electrojet Current which Reproduces the Average Surface Horizontal Disturbance

For this discussion it is assumed that a westward electrojet does exist in the ionospheric E-region at  $22^{\text{h}}$  to  $6\text{--}10^{\text{h}}$  MLT, and that an eastward electrojet

exists from about 15<sup>h</sup> to 22<sup>h</sup> MLT. While both of these currents will contribute to  $\Delta B$  at the POGO, the analysis shows that:

1. The contribution due to the eastward electrojet is negligible except at extremely low altitudes,
2. the contribution due to the westward electrojet is important, but not dominant.

In particular, the field variations in the positive  $\Delta B$  region consist of an altitude dependent contribution from the westward electrojet and a contribution from another (unspecified) source(s) which results in a  $\Delta B$  with amplitude relatively constant with altitude.

To test this hypothesis several numerical model electrojet systems have been constructed which reproduce the main features of the average horizontal disturbance at the earth's surface. In particular, the surface data from Langel (1973a) were used as a guide in the construction of most of these models.

Heppner et al. (1971) have suggested that, on the average, the electrojet currents may be closed via field aligned currents flowing into the ionosphere in the 7<sup>h</sup> to 13<sup>h</sup> MLT sector and out of the ionosphere in the 19<sup>h</sup> - 1<sup>h</sup> MLT sector (near the Harang discontinuity). This suggestion was followed in the construction of the models, with some modifications in order to reproduce the measured averages. In particular, in our models the field aligned currents flow into the ionosphere near 6<sup>h</sup> - 10<sup>h</sup> MLT and near 13<sup>h</sup> - 15<sup>h</sup> MLT and out of the ionosphere near 21<sup>h</sup> to 1<sup>h</sup> MLT.

The finite conductivity of the earth implies that a changing ionospheric current will induce a current within the earth. One technique which has been utilized in constructing models to fit experimental data is to represent the field, external to the earth, due to the induced current by the field due to an image current within the earth. The intensity and depth of the image current are chosen so that the combined fields of the image current and the (primary) ionospheric current reproduce the measured field (e.g. Forbush and Casaverde, 1961; Scrase, 1967). This is the method utilized in the models described in the present study. By varying the current strength in the ionosphere, and the current strength and depth of the induced currents in our models (within reasonable limits), it is possible to hold  $\Delta H$  nearly constant while varying  $\Delta Z$  by about 30-50% (at the earth's surface). Comparison of the contributions of the field aligned and ionospheric portions of the current systems indicated that, except in the immediate vicinity of the field aligned currents, the major contribution ( $\geq 80\%$ ) of the resulting fields is due to the ionospheric portion. Because the contribution of the induced currents corresponding to the field aligned current segments is still smaller than the contribution from the primary field aligned segments, this portion of the induced current was omitted so as to increase the speed of computation.

Uncertainties in the parameters of the induced current, the correct average configuration of field aligned current, and the amount of current over the polar cap, limit the value of these models. It is possible, however, to make a semi-quantitative estimate of the effect of electrojet-type currents on the satellite



data. The existence of a westward electrojet in the ionospheric E-region is regarded to be established, which implies that the estimate of the effects of this current at satellite altitudes approximates a real contribution to the measured  $\Delta B$ .

A series of models have been constructed, with variations in current distribution and in the strength of the induced currents, which approximate the measured horizontal disturbance at the earth's surface derived by Langel (1973a) for  $K_p = 2^-$  to  $3^+$  during equinox. As an example, Figure 11 (top) shows contours of  $\Delta Z$  and the horizontal vector disturbance at the earth's surface from one of these models. On comparison with the measured data we note:

- (1) The computed positive Y component in the negative bay region is in the correct direction, although not quite of the right magnitude, to match the measured data. This direction results from the model current moving from higher latitudes to lower latitudes from the dayside to the nightside and from the distribution of field aligned current.
- (2) The positive Y component in the positive bay region does not agree with the measured data. (In this connection attention is called to the agreement in Y direction between the measured data and the  $\Delta \vec{H}$  from the HLS currents in Figures 9 and 10.)
- (3) The polar cap horizontal disturbance is in the same direction as the measured data but is of much smaller magnitude.
- (4)  $\Delta Z$  to the south of the electrojets is not in bad disagreement with the measured data, but the  $\Delta Z$  to the north of the electrojets is of considerably smaller magnitude than that measured.

The characteristics of these models thus indicate that:

- (1) This field aligned current distribution cannot account for the measured horizontal disturbance over the polar cap. This does not rule out the possibility that some other distribution of field aligned and ionospheric current can account for the measured fields. However, the variety of current configurations for which calculations have been performed is sufficient to conclude that systems wherein the field aligned current is restricted to flow into and out of the region of electrojet current are unlikely to account for the measured fields in the polar cap.
- (2) Both surface and satellite magnetic disturbance between about 12<sup>h</sup> and 19<sup>h</sup> are due to a current with characteristics like HLS rather than a jet-type current.
- (3)  $\Delta Z$  at the surface between 0<sup>h</sup> and 10<sup>h</sup> is not consistent with the westward electrojet as the sole source of disturbance.

#### Characteristics of $\Delta B$ at Satellite Altitude due to the Ionospheric Electrojet

Major characteristics of the  $\Delta B$  at POGO altitudes due to the electrojet can be found from our numerical models. Figure 11 (bottom) illustrates the results from one model. Major features of importance are:

- (1) The contribution to satellite  $\Delta B$  from the eastward electrojet is small in both cases. (At 453 km on Figure 11 a 5 $\gamma$  contour, not shown, occurs equatorward of the negative  $\Delta B$  near 18<sup>h</sup>.)

- (2)  $\Delta B$  from the westward electrojet is very small at 800 km. (At 815 km. on Figure 11 a  $-5\gamma$  contour, not shown, occurs equatorward of the positive  $\Delta B$  near  $3^h$ .)
- (3) From the westward electrojet,  $\Delta B$  near 500 km. has both positive and negative peaks whose magnitude ratio is about 2/1.
- (4) Comparison of the two altitudes indicates that  $|\Delta B|$  drops off rapidly with altitude.

The measured  $\Delta B$  of Figure 1 and the  $\Delta B$  due to the model electrojet shown in Figure 11 are for the same season and magnetic disturbance level. Comparison indicates a great contrast both in magnitude and in  $\Delta B$  distribution. The positive  $\Delta B$  due to the westward electrojet is about 1/2 and 1/4 the magnitude of the measured positive  $\Delta B$  at 453 km. and 815 km., respectively, and the magnitude difference is even greater in the negative  $\Delta B$  region. Differences of this magnitude are not likely to be the result of deficiencies in the numerical model. The contrast in  $\Delta B$  distribution is seen by noting that the N-S ratio of  $\Delta B$  magnitude at 453 km is about 2/1 for the model electrojet and about 10/1 for the measured data. It is clear that, on the average, jet-type currents are not the primary source for either the positive or negative  $\Delta B$  regions.

#### Remaining $\Delta B$ when the Contribution from the Electrojet is Removed

To estimate the  $\Delta B$  not attributed to the westward electrojet, the  $\Delta B$  computed from each model electrojet, denoted  $\Delta B_c$ , has been subtracted from the average  $\Delta B$  measured by the POGO, denoted  $\Delta B_m$ , to get  $\Delta B'$  ( $=\Delta B_m - \Delta B_c$ ).

(This subtraction is physically meaningful where  $\Delta B \approx \Delta Z$ .) Contours of maximum disturbance were determined for  $\Delta B'$ . In all cases the altitude variation of  $\Delta B'$  is reduced considerably from that of  $\Delta B_m$ , but uncertainties in the models and in  $\Delta B_m$  do not allow us to determine the actual altitude variation of the  $\Delta B$  from non-electrojet sources. This disturbance could decrease very slowly with altitude or be constant with altitude. It is also possible to construct a model electrojet such that  $\Delta B'$  increases slightly in magnitude with increasing altitude.

#### Surface $\Delta Z$ When the Non-Electrojet Contribution is Removed

Removal of the estimated  $\Delta B$  contribution attributed to a westward electrojet from the measured  $\Delta B$  leaves a  $\Delta B$  which is approximately constant in altitude. This implies that  $\Delta Z$  measured at the earth's surface is also caused by more than one source. If, then, an estimate of the altitude independent  $\Delta Z$  is subtracted from the measured  $\Delta Z$ , the remaining  $\Delta Z$  should approximate the  $\Delta Z$  due to the westward electrojet. This should resemble Figure 11 (top right).

The satellite  $\Delta B$  for 700-900 km. subdivided by interplanetary magnetic sector is utilized as an estimate of the "constant altitude"  $\Delta Z$  ( $= \Delta B$ ). This  $\Delta B$  was subtracted from the measured  $\Delta Z$  for both interplanetary magnetic sectors, and the modified  $\Delta Z$ , presumably approximating the  $\Delta Z$  caused by the average westward electrojet, is shown in Figure 12. Comparison with Figure 11 (top right) indicates that the modified  $\Delta Z$  is in much better agreement with the numerical model than is the original average  $\Delta Z$  shown in Figure 8 (bottom). This confirms the interpretation of source distribution.

## EXAMPLES OF $\Delta B$ FROM INDIVIDUAL SATELLITE PASSES

Because average data alone may be misleading, we shall study the variation of  $\Delta B$  along individual satellite tracks, including a detailed comparison with measurements from observatories close to the satellite path. Data examples are selected to illustrate the following points:

- (1) The major source of  $\Delta B$  at satellite altitude is not a jet-type current.
- (2) Between about 12<sup>h</sup> and 19<sup>h</sup> MLT, in the negative  $\Delta B$  region, both the surface disturbance and the satellite  $\Delta B$  are consistent with the HLS current system as the source.

Figure 11 (bottom) illustrates the characteristics of  $\Delta B$  due to jet-type currents. In particular the ratio of  $|\Delta B|$  to the north and south of the locus of zero  $\Delta B$  is about 2/1. This ratio (2/1) should be regarded as an upper bound because currents in individual disturbance events, as opposed to the averages matched by the models, are likely to have a smaller latitudinal extent or to be more localized in longitude (corresponding to bays observed only in certain regions of the auroral belt).

### The Positive $\Delta B$ Region

An example from the positive  $\Delta B$  region at midnight-early morning MLT is shown in Figure 13. The thin line indicates the satellite path and is used as the  $\Delta B = 0$  axis. The scale for  $\Delta B$  is given by the short lines normal to the baseline which project away from the baseline in the direction of positive  $\Delta B$ . Labels on the scale lines indicate the scale, and the altitude and universal time when the

satellite was at the position where the scale line meets the baseline. The time for a complete crossing (from  $50^\circ$  to  $50^\circ$  latitude) is approximately 20 minutes.

In Figure 13,  $\Delta B$  is positive ( $\geq 100\gamma$ ) over a large portion of the polar cap crossing and over the nightside auroral belt, with a peak of nearly  $150\gamma$ . The magnitude of  $\Delta B$  is relatively constant over a large portion of the region measured, a not uncommon occurrence. Several observatories are favorably situated for comparison with the POGO data in and near the auroral belt in the night sector. A negative bay with  $\Delta H \approx -400\gamma$  at SO (Sodankyla, Table 1 gives a list of observatory mnemonics and positions), positive  $\Delta Z$  at SO, and negative  $\Delta Z$  at DO indicate the presence of a westward electrojet with most of the current located just to the south of SO but to the north of DO (the electrojet is presumably located near the latitude of maximum  $|\Delta H|$  and zero  $\Delta Z$ ). We particularly note the negative  $\Delta Z$  at DO, at LO, and even as far south as RS. At the satellite, however,  $\Delta B$  is always positive, in contrast to the variation expected from an electrojet. In particular, near DO the satellite  $\Delta B$  is  $+30\gamma$  while the surface  $\Delta Z$  is  $\leq -100\gamma$ . Furthermore, in the numerical models, a peak  $\Delta B$  of  $150\gamma$  at an altitude above 800km, from an electrojet, would require a surface  $|\Delta H|$  in excess of  $1500\gamma$ , which is definitely not the case.

A line or ribbon of current near SO should result in a positive  $\Delta B$  several degrees to the north of SO in the region where the peak of the measured  $\Delta B$  is located. The interpretation is that at least two sources are present:

- (1) a source which causes a relatively constant positive  $\Delta B$  over much of the polar cap and nightside auroral belt, and

- (2) the westward electrojet which causes a peak in positive  $\Delta B$  near  $72^\circ$  and which decreases  $\Delta B$  at latitudes near  $64^\circ$ .

### The Negative $\Delta B$ Region

A principal result of our study is that the source for the negative  $\Delta B$  region and for positive bays between about  $12^h$  and  $18-19^h$  MLT (i.e., sunlit times) is a current in the ionosphere similar to HLS. Individual pass data are consistent with this interpretation but not with the notion of a jet-type current source. All of the negative  $\Delta B$  region data shown in this section occurs in that portion of the polar cap which is sunlit. It is the usual case for negative  $\Delta B$  to occur at sunlit local times after noon, with exceptions near  $20-23^h$  at low altitudes where negative  $\Delta B$  is due to the eastward electrojet.

The characteristics of the peaks of the  $\Delta B$  variation are different for HLS and for jet-type currents, and this difference is the important quantity used to distinguish between the two types of sources. As already noted, at about 500 km. the ratio of peak  $|\Delta B|$  to the north and south of a jet-type current is at most about 2/1. From Figure 5, the corresponding ratio for HLS is more nearly 7/1 and possibly higher, i.e., the lower latitude  $|\Delta B|$  is almost an order of magnitude less than the higher latitude  $|\Delta B|$ . The HLS currents also result in a positive bay magnitude (at the surface) of the same order of magnitude as the peak disturbance of negative  $\Delta B$  at about 480 km., and a peak surface  $\Delta Z$  which is generally slightly larger in magnitude (factor of 1.1-1.6) than the satellite  $\Delta B$  near the peak of negative  $\Delta B$  (again at 480 km).

Two passes which illustrate the major features of the negative  $\Delta B$  region are shown in Figures 14-15. In each case the satellite is at a low altitude ( $< 520$  km.) during passage over the negative  $\Delta B$  region, and both passes are at nearly identical local times. Although the magnitude, location, and extent of the negative  $\Delta B$  varies considerably, both passes have the common feature that  $|\Delta B|$  to the north of FC is much larger ( $\geq 6/1$ ) than that to the south of FC. This fact alone eliminates a jet-type current as the major source of disturbance. The measured north-south  $|\Delta B|$  ratio is, however, consistent with the HLS current. Pertinent parameters from both satellite and surface data are tabulated in Table 2 for the passes of Figures 14-15 and for a pass which we shall discuss subsequently. An asterisk beside a surface field magnitude indicates that the observation was taken at a location favorable for comparison with the characteristics of HLS models given in the previous paragraph. By "favorable for comparison" is meant: (a) for  $\Delta Z$  comparison the station should be in the vicinity of the vortex of the assumed HLS current, and (b) for  $\Delta H$  comparison the station should be to the south of the vortex of the assumed HLS current, approximately under the eastward portion of the current. For example, on Sept. 2 the peak  $\Delta B$  is  $-88\gamma$ , the surface  $\Delta H$  is between  $32\gamma$  and  $60\gamma$  at the three observatories favorably located for  $\Delta H$  comparison, and the surface  $\Delta Z$  is  $-175\gamma$  at RB, which is in a location favorable for  $\Delta Z$  comparison. These magnitudes, and those of the other passes in the table, are all consistent with the HLS models. Note that an electrojet causing positive bays of the magnitude shown in Table 2 could not possibly produce the magnitude of  $\Delta B$  measured at the satellite.



Although the data discussed is in general agreement with the HLS models, the diversity of the negative  $\Delta B$  for these passes indicates a large variability in strength and flow pattern of the source currents.

Another example, at a somewhat earlier MLT, is given in Figure 16 in which the negative  $\Delta B$  region is smaller in extent. In the examples of Figures 14-15 BL is located to the south of the negative  $\Delta B$  peak, whereas in Figure 16 BL is located to the north of the peak. Langel (1973a) noted that the surface data indicate a shift of the polar cap-auroral belt boundary near noon to the south during Toward sectors as compared to Away sectors. A shift southward is also expected at higher disturbance levels since under these conditions the auroral oval is known to expand southward (Feldstein, 1969). Both of these differences occur between the data of Figures 14-15 and Figure 16. In agreement with this shift and with the HLS current models, BL now shows a negative  $\Delta H$ , indicating a polar-cap-like distribution rather than a positive bay. Other satellite-surface comparisons (see, for example, Table 2) are also in reasonable agreement with the HLS current models considering that the MLT of this pass is somewhat earlier than the MLT where the peak negative  $\Delta B$  is expected; in particular, the N-S  $|\Delta B|$  has the same characteristics as the data in Figures 14-15.

#### Correlation of Negative and Positive $\Delta B$ Region Disturbance

Although disturbance is usually present in both the positive and negative  $\Delta B$  regions at the same time, there is not a one-to-one correlation in magnitude. Also, disturbance of one type sometimes occurs in the absence of the other type.

Comparison of Figures 14-16 illustrates this point. Positive  $\Delta B$  is negligible in the data of Figure 15, small in the data of Figure 14, and moderate in Figure 16, whereas negative  $\Delta B$  is significant in the data on all of these figures.

In none of these figures is  $|\Delta B|$  to the south of the nightside auroral belt significant, although negative bay activity is present in the surface data from Figures 14 and 16. Thus the previous arguments against the westward electrojet as the source of the disturbance apply to this data also. It is noted that the positive peak in the data of Figure 16 probably contains a contribution from the westward electrojet.

#### Comparison of Satellite $\Delta B$ with Surface $\Delta Z$ in the Positive $\Delta B$ Region

To the north of the auroral belt, comparison of surface  $\Delta Z$  with satellite  $\Delta B$  when the satellite is directly over the observatory shows a high degree of correlation if negative bay activity is small or is far to the south of the observatory. Table 3 tabulates examples from Figures 14-16. For observatories near the satellite path which are relatively unaffected by the electrojet,  $\Delta Z$  is usually almost equal to  $\Delta B$  (within experimental error). This confirms that the non-electrojet source(s) causes a  $\Delta B$  which is relatively constant with altitude.

#### Relation of Satellite $\Delta B$ and the AE Index

The extent to which electrojet currents are a source of  $\Delta B$  at the POGO has already been noted. Examination of data from individual passes reveals further details regarding the relationships between the occurrence of disturbance at the

POGO in the positive and negative  $\Delta B$  regions and the occurrence of electrojet activity. Briefly:

- (1) When AE is high or moderate, the negative  $\Delta B$  is always present at sunlit MLT, as in Figure 16.
- (2) Disturbance is often present in the negative  $\Delta B$  region when AE is low and sometimes when AE has been low for some hours (Figures 14-15).
- (3) Quiet passes exist where the negative (and positive)  $\Delta B$  is small.

Thus, while the level of disturbance in the negative  $\Delta B$  region tends to be greater on days which are magnetically disturbed than on days which are relatively quiet, the negative  $\Delta B$  region is not well correlated with electrojet activity.

Positive  $\Delta B$  is usually:

- (1) enhanced during periods of high electrojet activity,
- (2) present for some hours after substantial electrojet activity has occurred and died away (Figures 14 and 16), and
- (3) small when very little electrojet activity is evident for some hours prior to (and during) the data (Figure 15).

The second conclusion stated above is further illustrated in Figure 17.

Three passes are shown during which AE is  $\geq 500\gamma$ ,  $< 100\gamma$  and  $< 200\gamma$ , respectively. (The Soviet observatories, not used to compute this AE, would not substantially modify AE during this period.) The positive  $\Delta B$  during these passes reaches  $150\gamma$ ,  $80\gamma$ , and  $70\gamma$ , respectively. Significantly, for the second and third passes the positive  $\Delta B$  region does not extend as far to the south in the

midnight sector, and the  $\Delta B$  distribution is close to a constant level throughout each pass. These facts indicate that the electrojet system has become small while the positive  $\Delta B$  is only moderately reduced in magnitude.

Although much of the positive  $\Delta B$  cannot be due to the electrojet, the magnitude of positive  $\Delta B$  is correlated with electrojet activity to a greater extent than the magnitude of negative  $\Delta B$ . The correlation coefficient between AL and the peak disturbance of individual passes through the positive  $\Delta B$  region at altitudes  $< 550$  km. is 0.79.

#### THE EQUATORIAL CURRENT SHEET AS A SOURCE OF POSITIVE $\Delta B$

A prominent feature of low latitude magnetic variation is a world-wide depression in H, particularly during some phases of magnetic storms. It is customary to resolve this variation into symmetric (Dst) and asymmetric (DS) components with respect to the earth's dipole axis. These definitions are not restricted to times during magnetic storms. Dst has been computed by Sugiura and Poros (1971) for the period 1957 to 1970. It has long been thought that during magnetic storms the Dst variations are caused by an equatorial ring current. More recent studies (e.g. Cain et al., 1962; Cahill, 1966; Cummings, 1966; Frank, 1967; Langel and Cain, 1968; Langel and Sweeney, 1971; Crooker and Siscoe, 1971) have shown that both Dst and low latitude DS are mainly due to sources external to the ionosphere, which implies an asymmetry in the ring current. Sugiura (1972a, b) has identified the ring current as an equatorial current sheet (ECS) which is a direct extension of the current sheet in the magnetotail.

A zero Dst does not imply that there is no ECS, as there is some arbitrariness in the assignment of a zero level for Dst (Sugiura, private communication). Sugiura (1973) has recently shown that at zero Dst the average  $\Delta B$  at 2-3 Re is  $-45\gamma$  due to the quiet time ECS.

Because an ECS will result in positive  $\Delta B$  at high latitudes, it must be considered as a source for the positive  $\Delta B$  region. The relation between high latitude positive  $\Delta B$  and the ECS is now briefly explored. It is clear from the references already cited, and from (unpublished) low latitude POGO data, that some asymmetry in the ECS exists even at low Kp. Apparently, however, a model does not exist which adequately represents the high latitude, low altitude, fields from an ECS which causes such a nonsymmetric equatorial disturbance.

Previous analyses (Chapman and Price, 1930; Rikitake and Sato, 1957; Langel and Sweeney, 1971) have noted that a time varying ring current will be accompanied by an induced current within the earth. A potential function of the form

$$V = \left[ a \left( \frac{r}{a} \right) e + \left( \frac{a}{r} \right)^2 i \right] \cos \theta, \quad (1)$$

where  $a$  is the radius of the earth and  $\theta$  is the (dipole) colatitude, was found to represent low and middle latitude data satisfactorily along a meridian. The terms in "e" and "i" are the external (ECS) and internal (induced) potentials, and the ratio  $R = i/e$  indicates the relative strength of the induced current. In the studies cited, all of which utilized data during magnetic storms,  $R$  was found to lie between 0.37 and 0.39.

To use (1) to estimate  $\Delta B$  at high latitudes (e.g., approaching  $\theta = 0$ ) for a particular  $\Delta B$  at the equator ( $\theta = \pi/2$ ), the average equatorial  $\Delta B$  from POGO for  $K_p \geq 4^-$ ,  $2^-$  to  $3^+$ , and  $1^-$  to  $1^+$  has been computed. In all cases the equatorial  $\Delta B$  is asymmetric; the average equatorial  $\Delta B$  is about  $-5$  to  $-55\gamma$ ,  $0$  to  $-25\gamma$ , and  $0$  to  $-15\gamma$  for  $K_p \geq 4^-$ ,  $2^-$  to  $3^+$ , and  $1^-$  to  $1^+$ , respectively. Using (1) with  $R = 0.38$ , and taking the equatorial  $\Delta B$  to be  $-55\gamma$ ,  $-25\gamma$ , and  $-15\gamma$ , respectively, gives a high latitude positive  $\Delta B$  of  $9.6\gamma$ ,  $4.4\gamma$ , and  $2.6\gamma$ . These positive  $\Delta B$  values are negligible in comparison to the average non-electrojet positive  $\Delta B$ . If, however,  $R$  is between  $0$  and  $0.1$ , the high latitude  $\Delta B$ , from (1), becomes  $40$ - $50\gamma$ ,  $18$ - $25\gamma$ , and  $11$ - $15\gamma$ , respectively, which is sufficient to account for most of the average non-electrojet positive  $\Delta B$ . Although these results indicate that the ECS could be the major source, the result is inconclusive because  $R$  is not accurately known and the equatorial  $\Delta B$  asymmetry is not taken into account in the computation.

To investigate the statistical correlation between the positive  $\Delta B$  region and the ECS, it is assumed that  $Dst$  reflects the strength of the ECS. As a measure of the positive  $\Delta B$ , the quantity  $BP$  is defined as the peak value of positive  $\Delta B$  on each satellite pass. Only those passes whose local times are near the peak value of the average positive  $\Delta B$  are considered, and the satellite data is limited to altitudes above  $700\text{km}$  to minimize the electrojet contribution to  $BP$ . Because a correlation with the westward electrojet strength, as measured by the  $AL$  index, is included in the analysis, the universal times of the satellite passes are restricted so that at least one of the observatories used to compute  $AL$  is in

the 1-5<sup>h</sup> MLT region. Figure 18 is a scatter plot of BP vs Dst. A linear least squares fit to this data gives the equation

$$BP = 23.7 - 1.28 \text{ Dst } (\gamma), \quad (2)$$

with a standard deviation of  $25\gamma$ . If a term for AL is included in the least squares fit, the result is

$$BP = 15.6 - 0.97 \text{ Dst} - 0.139 \text{ AL } (\gamma), \quad (3)$$

with a standard deviation of  $19.6\gamma$ . The correlation coefficient between BP and Dst is  $-0.63$ .

Although BP tends to increase with decreasing Dst, a correlation coefficient of  $-0.63$  is not high, and, moreover, a significant number of points are in large disagreement with equations (2) and (3). These results must be regarded as inconclusive. While it is possible that the ECS contributes substantial positive  $\Delta B$  at high latitudes, it is also possible that the observed degree of correlation results from a tendency for all sources of near-earth magnetic disturbance to increase in intensity at approximately the same time.

Magnetopause currents will have some effect both on Dst and on the  $\Delta B$  measured by the POGO. From model computations (see e.g. Mead, 1964) we know that the equatorial field, in the vicinity of the earth's surface, from magnetopause currents is of the order of  $25\gamma$  with peak to peak daily variations of the order of  $8\gamma$ . Variation of the magnetopause boundary from 12 to 9 Re could cause an increase in the equatorial field at the surface of about  $25\gamma$ . This is the range expected except during large sudden commencements. Variations in  $\Delta B$

at high latitudes due to magnetopause currents are smaller than those at the equator, for example, the model of Sugiura and Poros (1973) gives a positive  $\Delta B$ , at high latitudes, near the earth of  $10-15\gamma$  due to both magnetopause currents and the ECS. It is concluded that magnetopause currents are not likely to contribute substantially to the high latitude  $\Delta B$  and contribute at most a  $10-20\gamma$  variation to Dst, except during large magnetopause compressions.

If the ECS contributes to the polar positive  $\Delta B$ , it is unlikely that such a contribution is restricted in MLT as is the measured positive  $\Delta B$  region. The implication is that a positive  $\Delta B$  due to the ECS may be present over the entire polar cap, and that the source of the negative  $\Delta B$  region is strong enough to overwhelm this positive  $\Delta B$ . If this is true, and the resulting positive  $\Delta B$  is not uniform in MLT, then the MLT distribution of positive and negative  $\Delta B$  may be somewhat different than shown in Figure 1. Comparison of summer and winter average  $\Delta B$  contour plots indicates that the shape of the negative  $\Delta B$  region does not change drastically from winter to summer, although the amplitude varies by about a factor of 3 at altitudes  $\leq 550$  km. This, together with the agreement between the average measured surface disturbance and that computed from the HLS currents, indicates that the measured MLT distribution of negative  $\Delta B$  is close to the actual MLT distribution of negative  $\Delta B$  caused by ionospheric currents (HLS).

#### Need for a Source of Positive $\Delta B$ other than the Equatorial Current Sheet and the Electrojet

Examination of individual satellite passes indicates that, in many cases, an estimated contribution of  $\Delta B = 20 - \text{Dst} (\gamma)$  from the ECS, together with a



reasonable estimate of disturbance from the westward electrojet, is close to the measured positive  $\Delta B$ . However, it is also possible to find examples where the measured positive  $\Delta B$  is considerably different from these estimates.

Figure 19 illustrates several cases where the measured positive  $\Delta B$  differs considerably from the estimated positive  $\Delta B$ . Consider first parts (a) and (b) of the figure for which Dst is  $-7\gamma$  and  $+4\gamma$ , respectively. With regard to the electrojets, AL is  $-20\gamma$  and  $-70\gamma$ , respectively, and  $\Delta H$  is indicated on the plots for selected non-AE observatories (AE observatories are underlined). For (a) the maximum negative  $\Delta H$  is  $-115\gamma$  at BW near  $7.5^h$  MLT, well away from the POGO track; observatories in the auroral belt at  $0-4^h$  MLT show very little disturbance. For (b) auroral belt disturbance is again small from  $0-5^h$  MLT, but there is some negative bay activity from  $6^h$  to  $12^h$  MLT, namely  $\Delta H = -250\gamma$ ,  $-104\gamma$ , and  $-340\gamma$  at FC, BL, and GO, respectively. Of these, FC and (particularly) GO are at some distance from the satellite track. At most, the contribution to POGO  $\Delta B$  for these altitudes should be  $1/10$  the maximum  $\Delta H$  due to an electrojet, which gives about  $12\gamma$  for (a) and  $35\gamma$  for (b). We believe these estimates are high because the observatories at which maximum  $|\Delta H|$  occurs are not close to the satellite path, and the surface disturbance is more localized than that represented by the numerical electrojet models. A localized jet-current will result in less  $\Delta B$  at POGO than predicted by the models. Contributions from the ECS for Dst =  $-7\gamma$  and  $4\gamma$  should be no more than  $33\gamma$  and  $20\gamma$ , respectively, so that the maximum BP expected from electrojet and ECS is  $45\gamma$  and  $55\gamma$  for (a) and (b), respectively, while the measured BP are  $60\gamma$  and  $72\gamma$ .

Plots (c) and (d) of the figure show data where BP is  $\leq 30\gamma$  and  $\leq 45\gamma$ , respectively (in fact,  $\Delta B$  is less than  $20\gamma$  and  $35\gamma$ , respectively, over most of these passes), yet Dst is  $-29\gamma$  and  $64\gamma$ , respectively, so that much higher positive  $\Delta B$  (about  $49\gamma$  and  $84\gamma$ , or more, depending on the electrojet contribution) would be expected if the ECS and westward electrojet were the sources of the positive  $\Delta B$ .

## SUMMARY AND CONCLUSIONS

This study has used magnetic field measurements from the POGO spacecraft and from observatories to test prevalent concepts regarding the current systems causing high latitude magnetic disturbance and to extend understanding of the morphology of the measured disturbance and its sources. Excluding variations between interplanetary magnetic sectors, Figure 20 summarizes the proposed source current distribution, and Table 4 indicates, in a broad sense, which sources are believed to be important contributors to disturbance at various altitudes.

The existence and characteristics of the eastward and westward electrojets will be discussed more fully in a subsequent paper. In this study: (a) It is demonstrated that much of the positive  $\Delta B$  at the POGO, and positive  $\Delta Z$  at the surface, from  $22^h$  to  $10^h$  MLT, is not due to an ionospheric source either of the jet-type or of the DP2 type. The average electrojet contribution to positive  $\Delta B$ , as determined from numerical models, is about  $25\gamma$  and  $10\gamma$  at 460km and 800km, respectively, for  $K_p = 2^-$  to  $3^+$ . However, the measured maximum

contour of the average positive  $\Delta B$  (again for  $K_p = 2^-$  to  $3^+$ ) is about  $52\gamma$  and  $44\gamma$  at 460km and 800km, respectively; the non-electrojet portion of the positive  $\Delta B$  is roughly constant with altitude, and its peak magnitude is estimated to be about  $50-80\gamma$ ,  $20-30\gamma$ , and  $7-15\gamma$  for  $K_p \geq 4^-$ ,  $2^-$  to  $3^+$ , and  $1^-$  to  $1^+$ , respectively. A portion of this positive  $\Delta B$  is likely due to the ECS, but some of the data are not accounted for by estimates of  $\Delta B$  from this source. Rough estimates of the percentage of  $\Delta B$  from electrojet and non-electrojet (mainly extra-ionospheric) sources are given in Table 4. Surface  $\Delta Z$  must also contain a component from the "constant"  $\Delta B$  (assuming  $\Delta B \approx \Delta Z$ ), and indeed, if an estimate of this "constant"  $\Delta Z$  component is subtracted from the measured average surface  $\Delta Z$ , the remaining  $\Delta Z$  is more consistent with an electrojet source than is the measured  $\Delta Z$ . (b) A need for an ionospheric current of broad dimensions, the HLS current, is established at sunlit local times. In this region, roughly from  $12^h$  to  $22^h$  MLT (the local time, near  $19^h$ , to which the HLS current extends is dependent on season), the magnetic field at the satellite is characteristically weakened ( $\Delta B < 0$ ) above invariant latitudes of about  $65^\circ$ . That the negative  $\Delta B$  region is essentially a "daylight" phenomenon is indicated by its seasonal variation (greatest magnitude in summer, least in winter) and by the location of the peak of the average  $\Delta B$  at about  $15^h$  MLT. A similar seasonal variation is also present in the average surface data (Langel, 1973a). Average  $\Delta B$  in this region decreases rapidly with altitude; in fact, during winter the average negative  $\Delta B$  above 900 km. is negligible. Previous studies have suggested

that the currents causing some of the positive bay disturbance are of broad latitudinal dimensions and flow in the sunlit E-region of the ionosphere where their intensity is determined by solar radiation controlled conductivity. Our measurement of the altitude variation of  $\Delta B$  in this region is strong evidence that the satellite negative  $\Delta B$  is caused by ionospheric currents below satellite altitudes (400km). The fact that the negative  $\Delta B$  region is negligible above 900km in winter suggests strongly that all of the negative  $\Delta B$  in this region is due to ionospheric sources.

Not only is the HLS current able to cause the major features of the satellite negative  $\Delta B$  region, but it is also able to cause the major features of the surface positive bay variations from 13<sup>h</sup> to 19<sup>h</sup> MLT and some of the features of the surface polar cap magnetic variation. Such current systems are, of course, averages and do not represent localized phenomena often detected at observatories.

Modifications to such current systems will also be necessary to account for spatial gradients in conductivity and electric field, and to account for the presence of field aligned currents. With such qualifications in mind, however, major features of the derived current systems are probably representative of real current flow. In particular, the general direction and approximate magnitude of the model currents where the conductivity gradients are not large (perhaps for solar zenith angles less than about 75°; see, e.g., Keneshea et al., 1970) are expected to be close to the averages of the real current.

No attempt is made to show continuity in Figure 20 in some regions where we believe that field aligned currents are important. This is particularly true near dusk and dawn in the auroral belt and over the dark portion of the polar cap. It is entirely possible that part or all of the HLS current flows into the eastward electrojet.

The dashed curves on the morning side of noon indicate current flow needed to account for the average horizontal disturbance at the earth's surface and for positive  $\Delta B$  during Toward interplanetary magnetic field sectors. Some observational data, such as that of Figure 19b, support the reality of this current but seem to indicate closure via magnetic field aligned currents rather than by currents flowing into the westward electrojet.

In a subsequent paper it will be shown that variations in the positive and negative  $\Delta B$  regions do not correlate with DP2 fluctuations as defined by Nishida and his co-workers (e.g. Nishida and Kokubun, 1971, and references therein). However, the existence of a spatially broad ionospheric current in the positive  $\Delta B$  region is not ruled out. The inferred altitude variation of the non-electrojet contribution to the positive  $\Delta B$  is uncertain enough that some contribution could arise from a non-jet type source at sunlit local times. If such a source exists and is highly variable, it might account for the deviations of the positive  $\Delta B$  from that which is expected from the ECS and the westward electrojet.

## ACKNOWLEDGMENTS

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Table 1  
Observatories Used in Analysis

Station	Mnemonic	Geomagnetic Position		Geographic Position	
		Latitude	Longitude	Latitude	Longitude
Alert	AT	85.8	188.1	82°30'	-62°30'
Baker Lake	BL	73.7	315.2	64°20'	-96°2'
Barrow	BW	68.5	241.1	71°18'	-156°45'
Cape Chelyuskin	CC	66.2	176.4	77°43'	104°17'
College	CO	64.6	256.5	64°52'	-147°50'
Dikson Is.	DI	63.0	161.5	73°33'	80°34'
Dombas	DO	62.2	100.1	62°4'	9°7'
Heiss Is. (Druzhnaya)	DR	71.3	156.0	80°37'	58°3'
Fort Churchill	FC	68.7	322.8	58°48'	-94°6'
Godhavn	GO	79.8	32.5	69°14'	-53°31'
Great Whale River	GWR	66.5	347.4	55°16'	-77°47'
Lovo	LO	58.0	105.7	59°21'	17°50'
Leirvogur	LR	70.2	71.0	64°11'	21°42'
Meanook	ME	61.8	301.1	54°30'	-113°20'
Mould Bay	MLB	79.0	256.3	76°12'	-119°24'
Newport	NT	55.0	300.1	48°16'	-117°7'
Resolute Bay	RB	82.9	289.3	74°42'	-94°54'
Rude Skov	RS	55.8	98.5	55°51'	12°27'
Sitka	SI	59.9	275.4	57°4'	-135°20'
Sodankyla	SO	63.7	119.9	67°22'	26°38'
Thule	TH	88.9	358.0	77°29'	-69°10'
Tiksi	TI	60.4	191.4	71°35'	129°0'

Table 2

Comparison of Satellite and Ground Disturbance from the  
Negative  $\Delta B$  Region

Data is from Figures 14-16

Field Quantity	Date of Pass		
	9/2	9/5	9/19
Peak Satellite $-\Delta B$	$-88\gamma$	$-53\gamma$	$-67\gamma$
Surface $\Delta H$ : FC	$32\gamma^*$	$20\gamma^*$	$52\gamma^*$
BL	$60\gamma^*$	$40\gamma^*$	$-193\gamma$
GWR	$50\gamma^*$	$60\gamma^*$	$120\gamma^*$
$\Delta Z$ at RB	$-175\gamma^*$	—	$120\gamma$
$\Delta Z$ at FC	$10\gamma$	$-25\gamma$	$-50\gamma^*$
Kp during pass	$1^\circ$	$1^-$	$4^\circ$
Interplanetary Sector	Away	Away	Toward

\*Observation taken at a location favorable for comparison with the HLS current models.

Table 3

Comparison of Surface  $\Delta Z$  with Satellite  $\Delta B$

Figure	Station	Surface $\Delta Z (\gamma)$	Satellite $\Delta B (\gamma)$
14	DR	5	10
15	DI	0	0
15	CC	10	10-20
15	AT	10	8
16	AT	35	32
16	TH	40	35

Table 4

## Probable Sources for Disturbance at Various Altitudes

MLT Range	Disturbance Characteristics	Altitude				
		Surface	400 km	600 km	800 km	1000 km
23 <sup>h</sup> to 8-10 <sup>h</sup>	Negative Bay (Surface ΔH)	W E J	—	—	—	—
	Positive ΔB	W E J (70%) X-tra I. (30%)	W E J (50%) X-tra I. (50%)	W E J (34%) X-tra I. (66%)	W E J (22%) X-tra I. (78%)	W E J (10%) X-tra I. (90%)
13 <sup>h</sup> to 18-20 <sup>h</sup> (sunlit)	Positive Bay (Surface ΔH)	HLS	—	—	—	—
	Negative ΔB	HLS	HLS	HLS	HLS	HLS
18-20 <sup>h</sup> to 23 <sup>h</sup> (dark)	Positive Bay (Surface ΔH)	E E J (HLS)	—	—	—	—
	Negative ΔB	E E J (HLS)	E E J (HLS)	E E J (HLS)	Very Small Disturbance	
8-10 <sup>h</sup> to 13 <sup>h</sup>	Confused Region, can have positive or negative bays and positive or negative ΔB. Our study indicates the existence of a broad current in this region during Toward interplanetary sectors but is inconclusive otherwise.					

Abbreviations for sources: W E J = westward electrojet (ionospheric); E E J = eastward electrojet (ionospheric); HLS = HLS-like current (ionospheric); X-tra I. = non-ionospheric sources (ECS, Magnetopause Currents, etc.); ( ) denotes possible source, our results inconclusive.

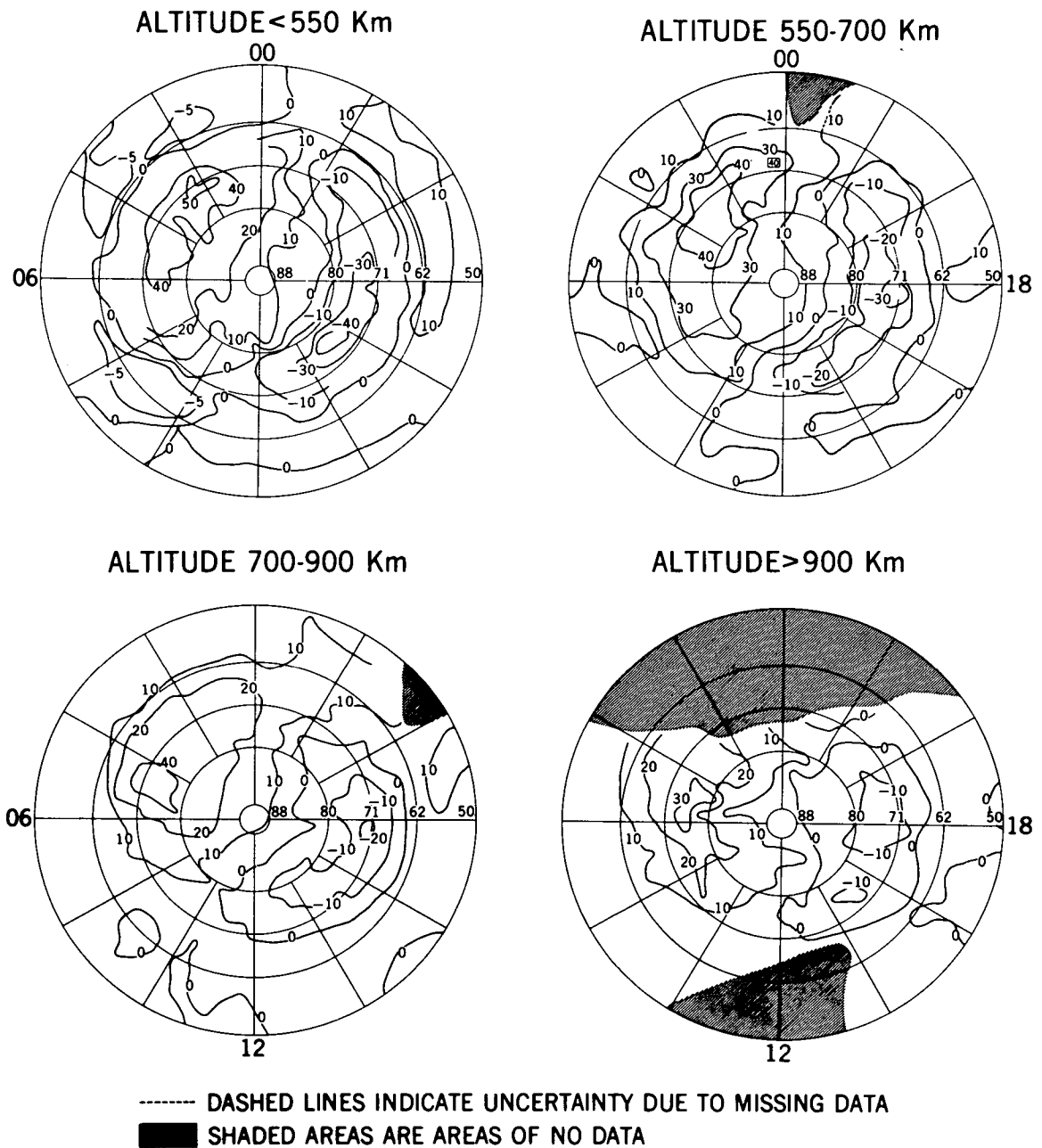


Figure 1. Average  $\Delta B$  from OGO 2, 4, and 6, northern hemisphere,  $K_p = 2^-$  to  $3^+$ , months 3, 4, 9, and 10. Coordinates are MLT and dipole latitude.

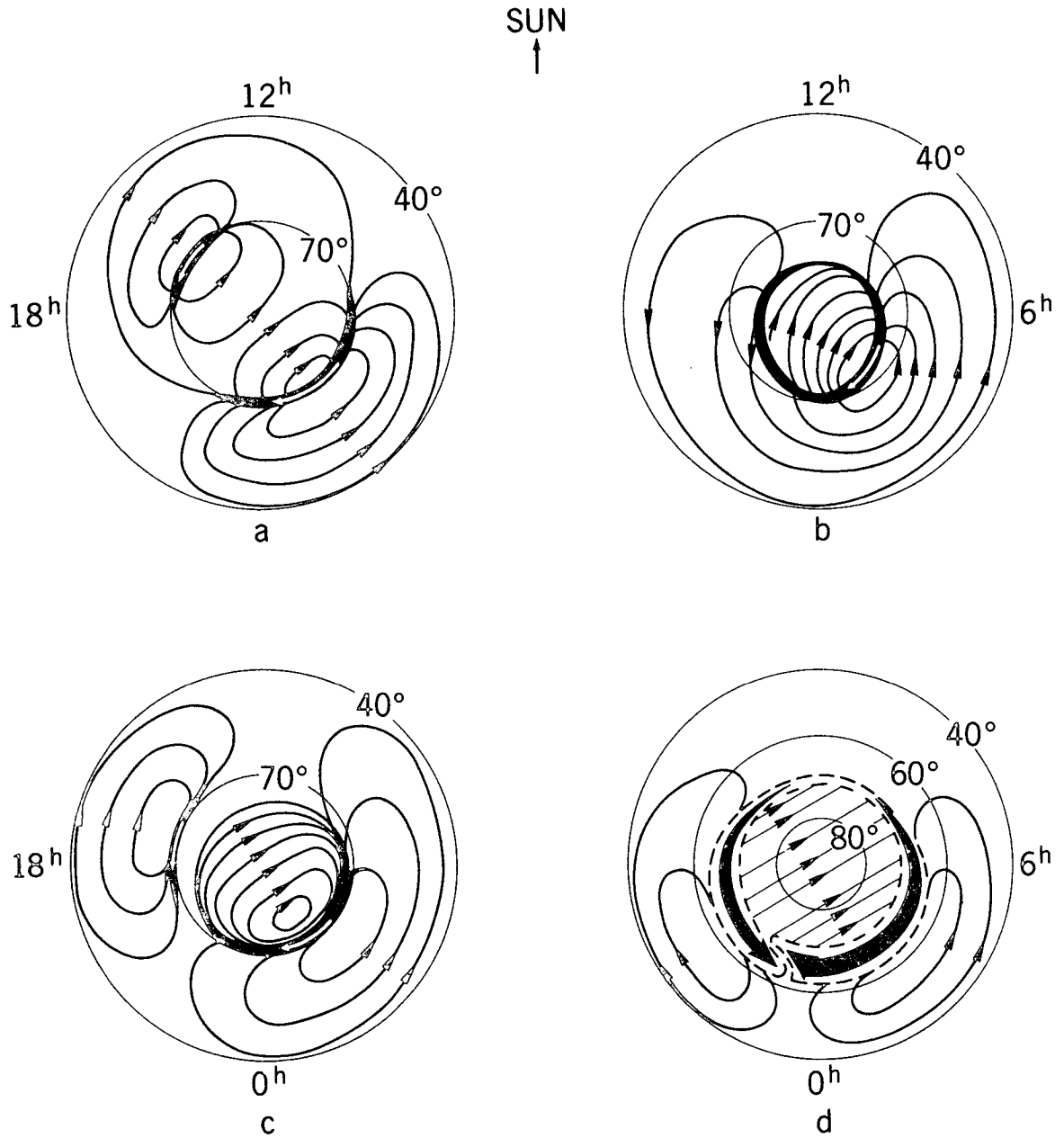


Figure 2. Equivalent current systems for the auroral electrojet. (a) is the classical two-celled (DS) system, (b) is from Akasofu et al. (1965), (c) is from Feldstein (1969), and (d) is from Sugiura and Heppner (1972).



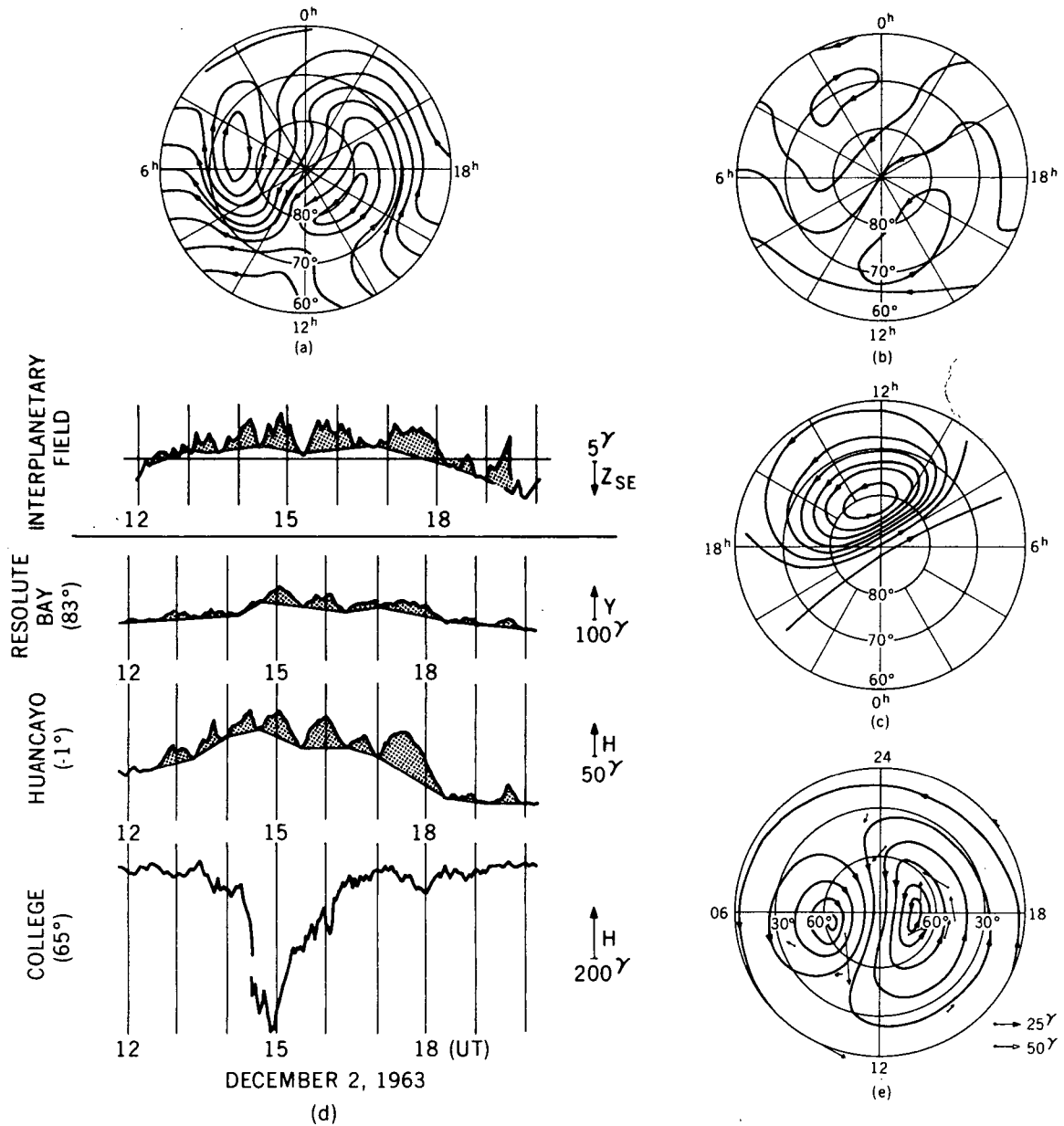


Figure 3. Non-electrojet current systems. (a) and (b) are the northern hemisphere equivalent current systems of mean daily variations on quiet days from Nagata and Kokubun (1962). (a) is for the June solstice and (b) is for the December solstice.  $2 \times 10^4$  amps flows between stream lines. (c) is the DPC current from Feldstein (1969),  $10^4$  amps flows between stream lines. (d) and (e) are DP2 for Dec. 2, 1963, from Nishida and Kokubun (1971). In (d) records of DP2 are shaded. (e) is the equivalent current system of DP2 with  $5 \times 10^4$  amp between stream lines.

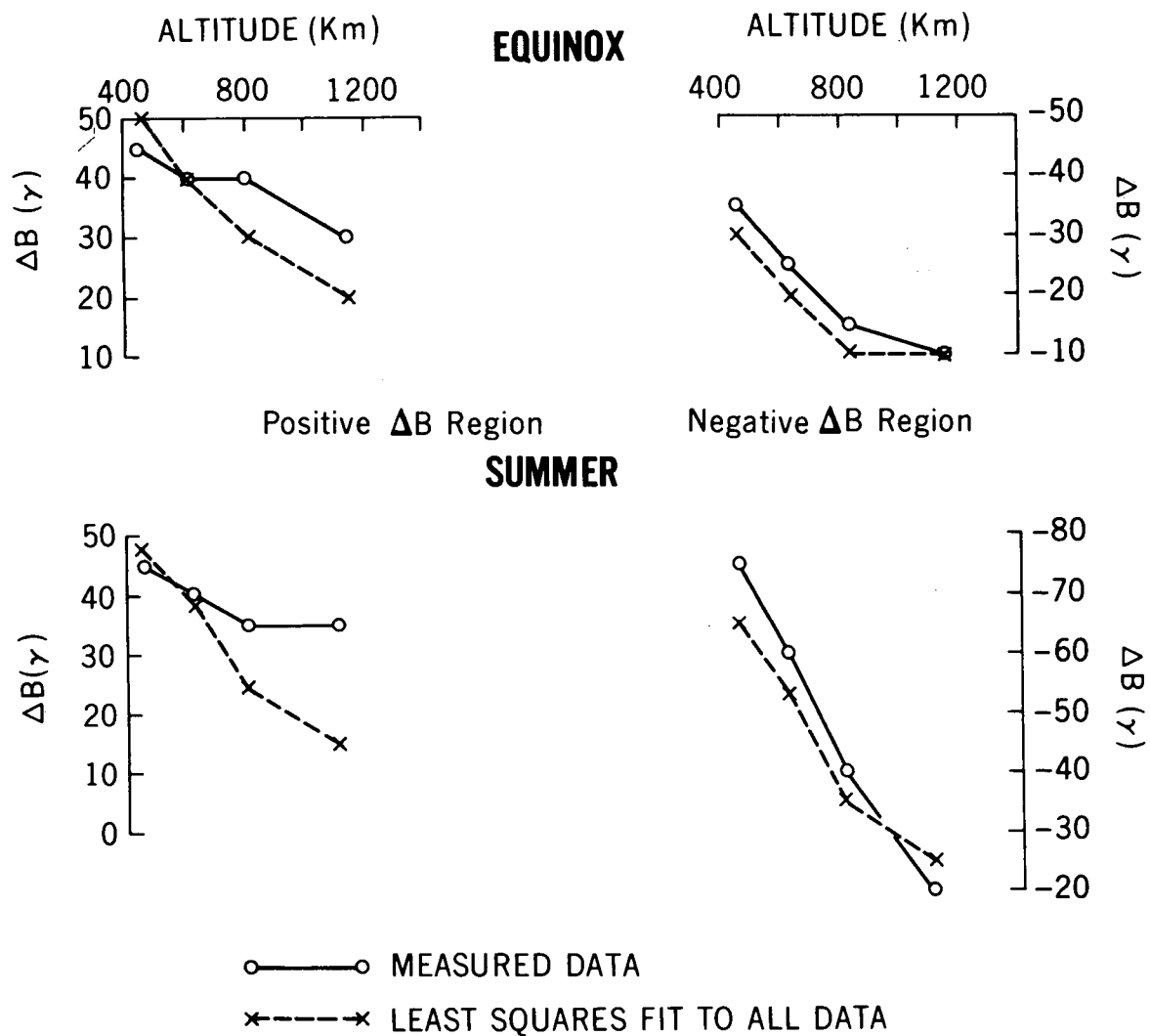


Figure 4. Altitude variation of  $\Delta B$  from the measured data and from the best-fit equivalent current system. Northern hemisphere.

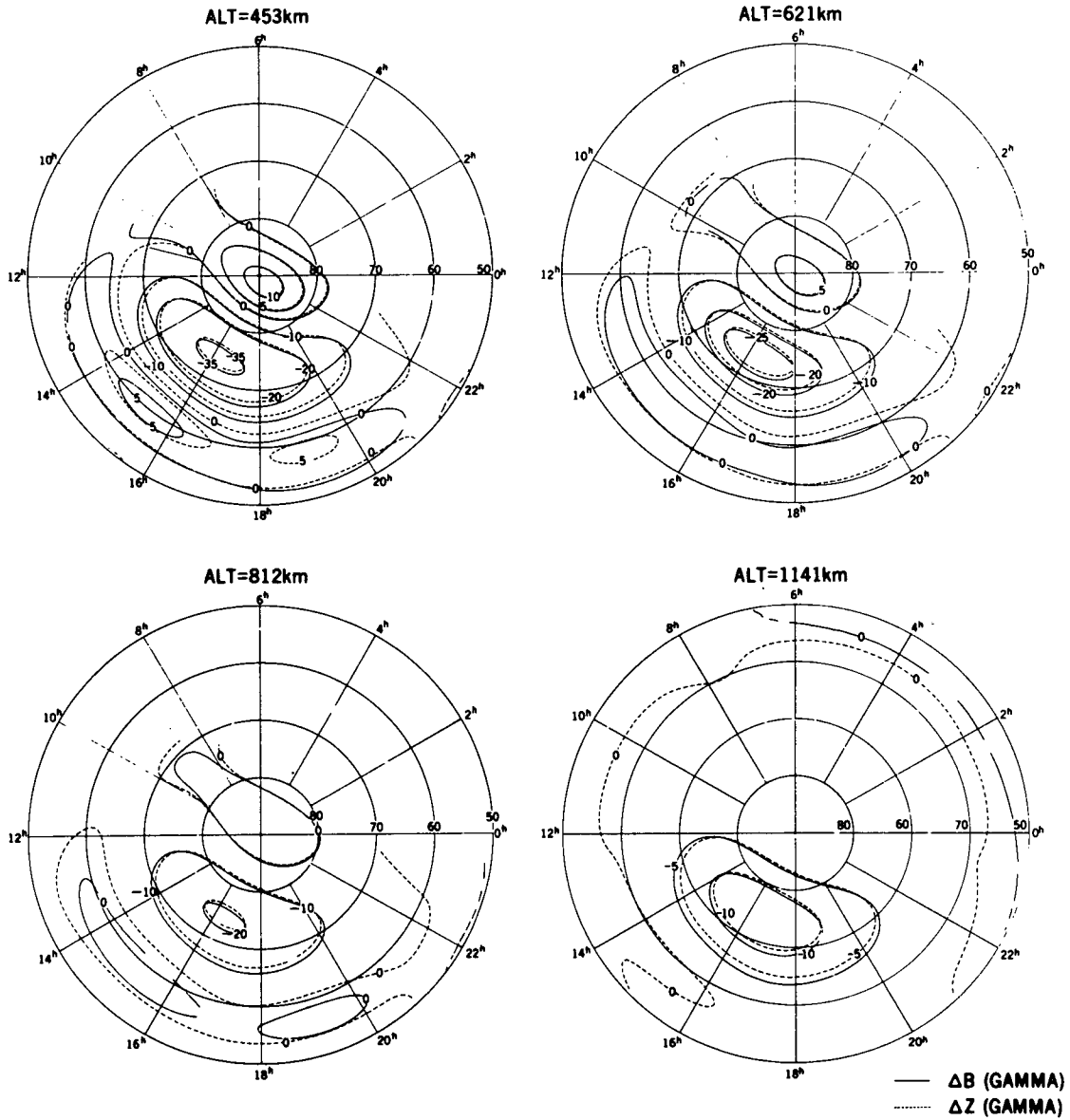


Figure 5. Disturbance ( $\Delta B$  and  $\Delta Z$ ) computed from potential function derived from data in the negative  $\Delta B$  region. Northern hemisphere,  $K_p = 2^-$  to  $3^+$ , months 3, 4, 9, and 10. Coordinates are MLT and dipole latitude.

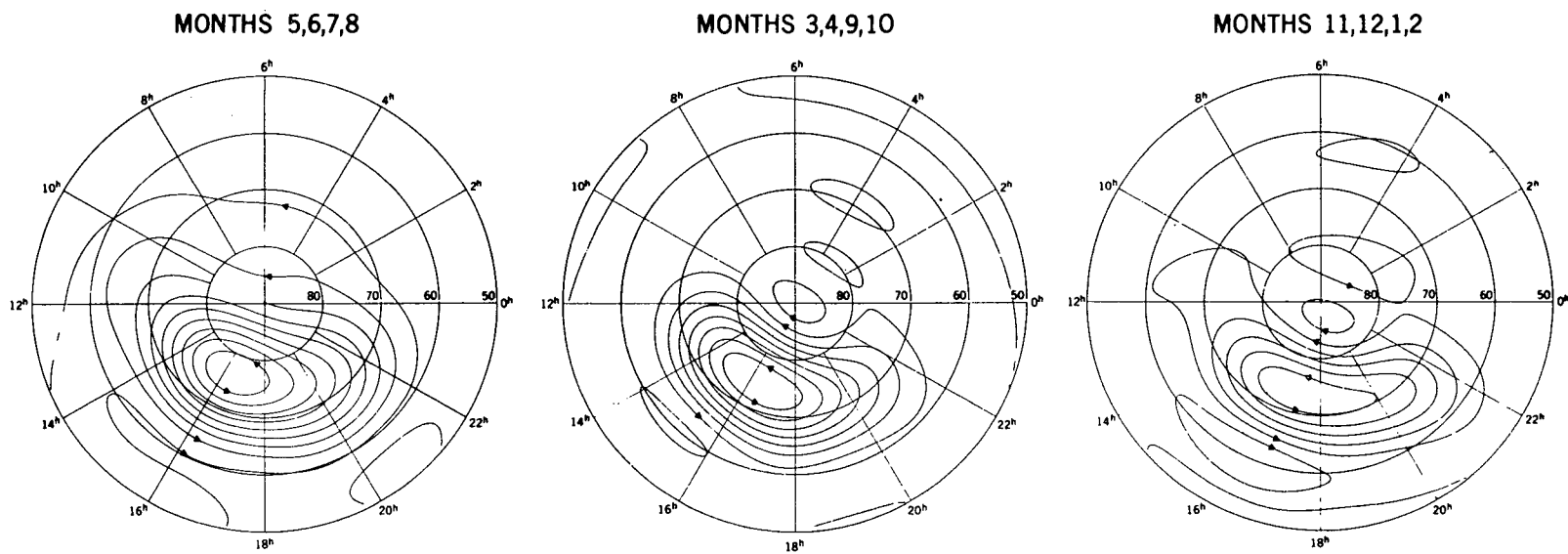
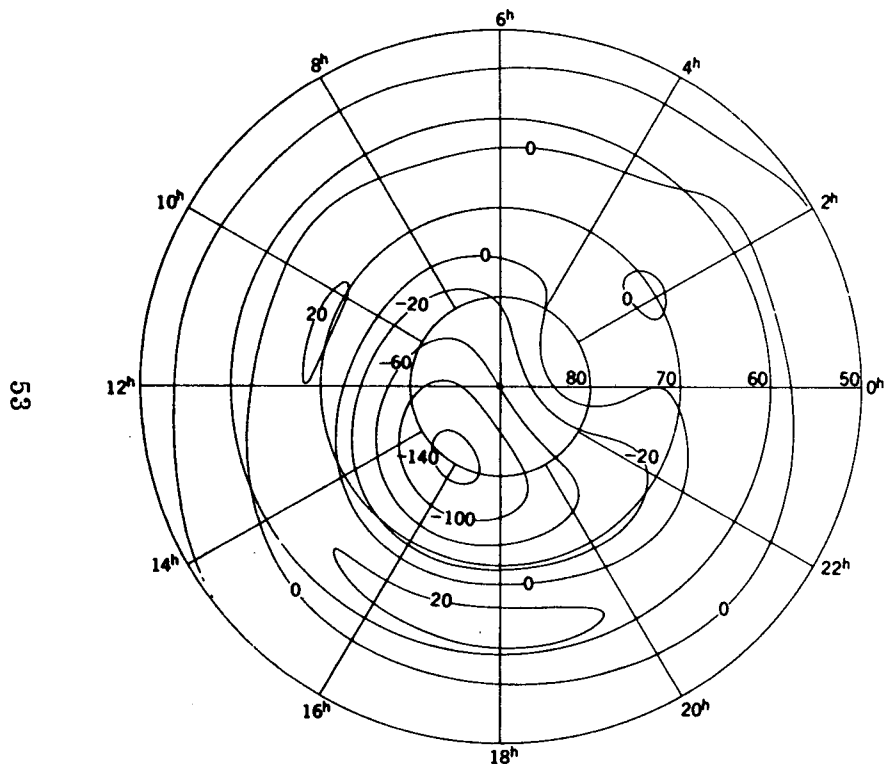


Figure 6. HLS currents derived from data in the negative  $\Delta B$  region for  $K_p = 2^-$  to  $3^+$ . Current is assumed to flow at 115 km,  $10^4$  amps flows between stream lines. Coordinates are MLT and dipole latitude.

# INTERPLANETARY MAGNETIC FIELD AWAY FROM THE SUN



# INTERPLANETARY MAGNETIC FIELD TOWARD THE SUN

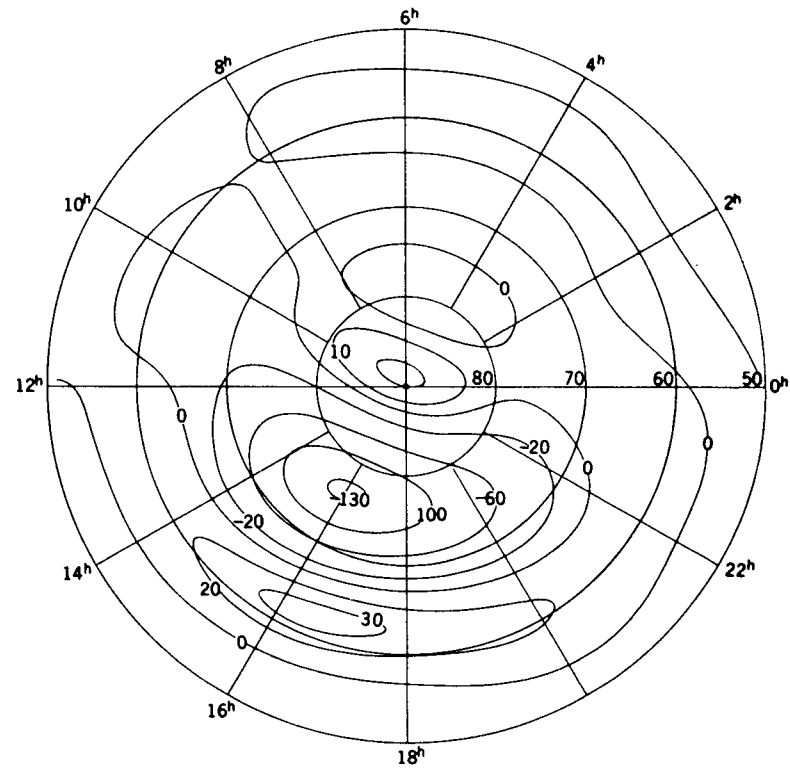


Figure 7.  $\Delta Z$  ( $\gamma$ ) at the earth's surface from the HLS current system for geomagnetic summer and  $K_p = 2^-$  to  $3^+$ . Coordinates are MLT and invariant latitude.

# IP MAGNETIC FIELD AWAY FROM THE SUN

# IP MAGNETIC FIELD TOWARD THE SUN

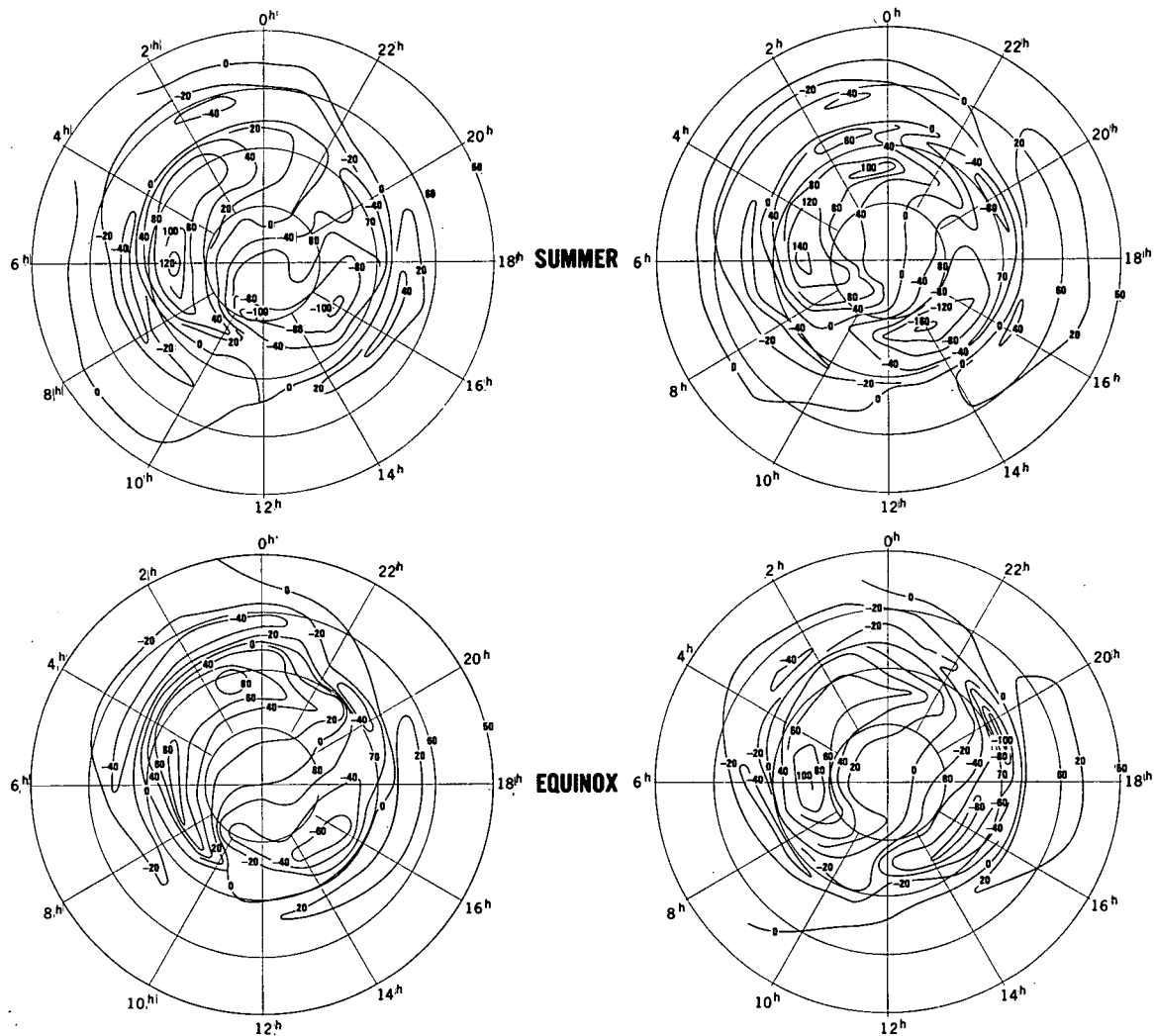
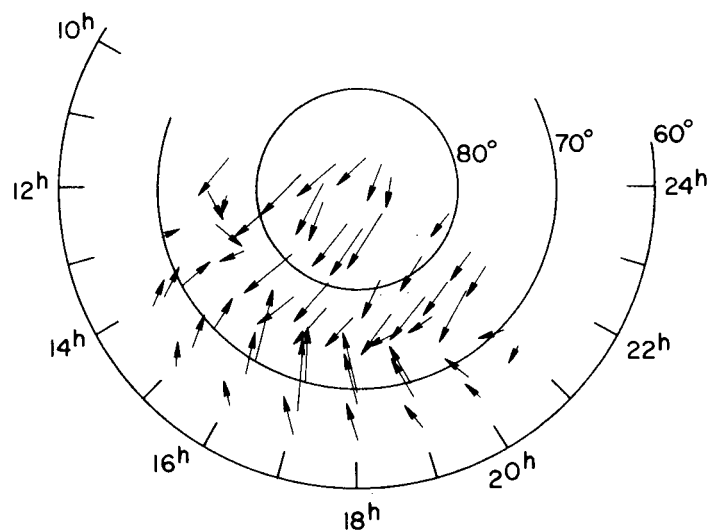


Figure 8. Average  $\Delta Z$  ( $\gamma$ ) at the earth's surface (Langel, 1973a). Geomagnetic seasons,  $K_p = 2^-$  to  $3^+$ . Coordinates are MLT and invariant latitude.

MEASURED AVERAGE HORIZONTAL  
DISTURBANCE AT THE EARTH'S SURFACE



HORIZONTAL DISTURBANCE AT THE  
EARTH'S SURFACE FROM THE HLS CURRENT

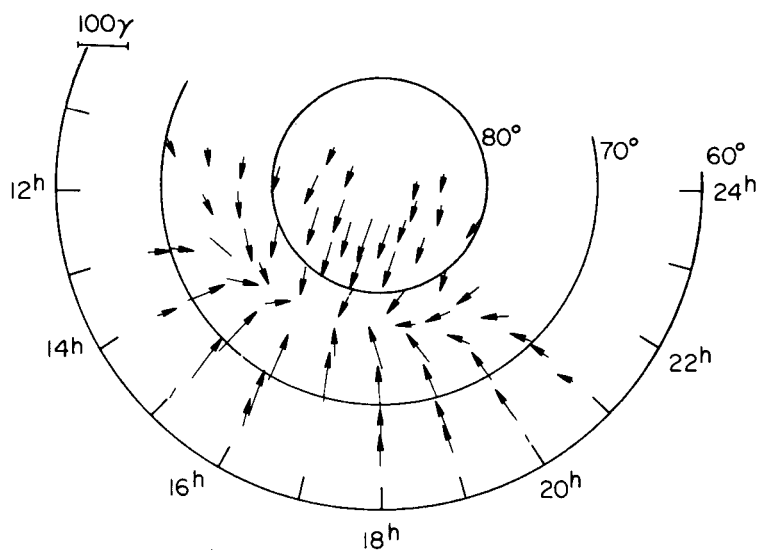
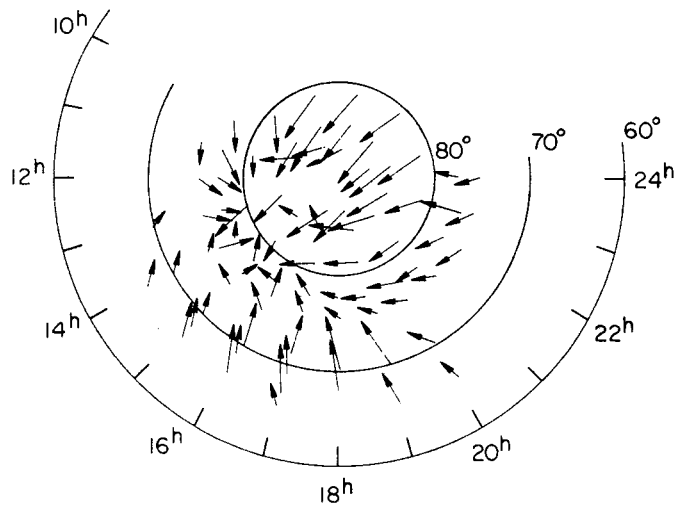


Figure 9. Comparison between the horizontal disturbance at the earth's surface due to HLS and the measured horizontal disturbance at the earth's surface for geomagnetic summer,  $K_p = 2^-$  to  $3^+$  and Toward interplanetary magnetic sectors. Coordinates are MLT and invariant latitude.

MEASURED AVERAGE HORIZONTAL  
DISTURBANCE AT THE EARTH'S SURFACE



HORIZONTAL DISTURBANCE AT THE  
EARTH'S SURFACE FROM THE HLS CURRENT

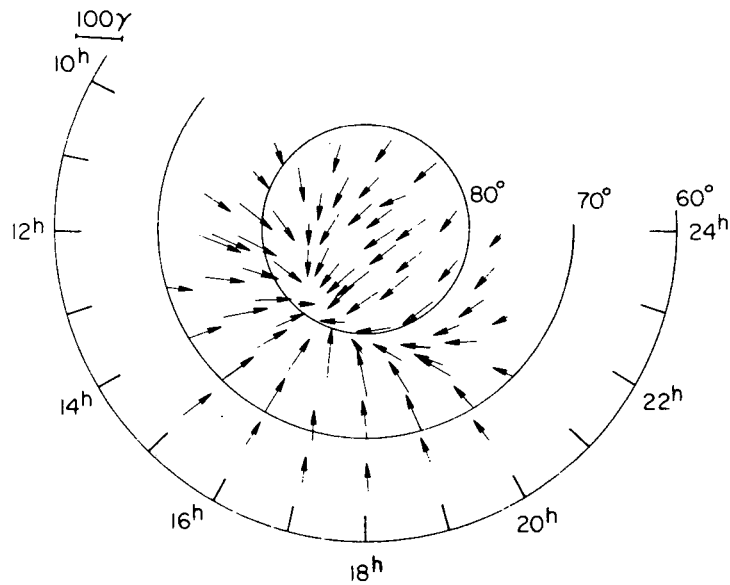


Figure 10. Comparison between the horizontal disturbance at the earth's surface due to HLS and the measured horizontal disturbance at the earth's surface for geomagnetic summer,  $K_p = 2^-$  to  $3^+$  and Away interplanetary magnetic sectors. Coordinates are MLT and invariant latitude.



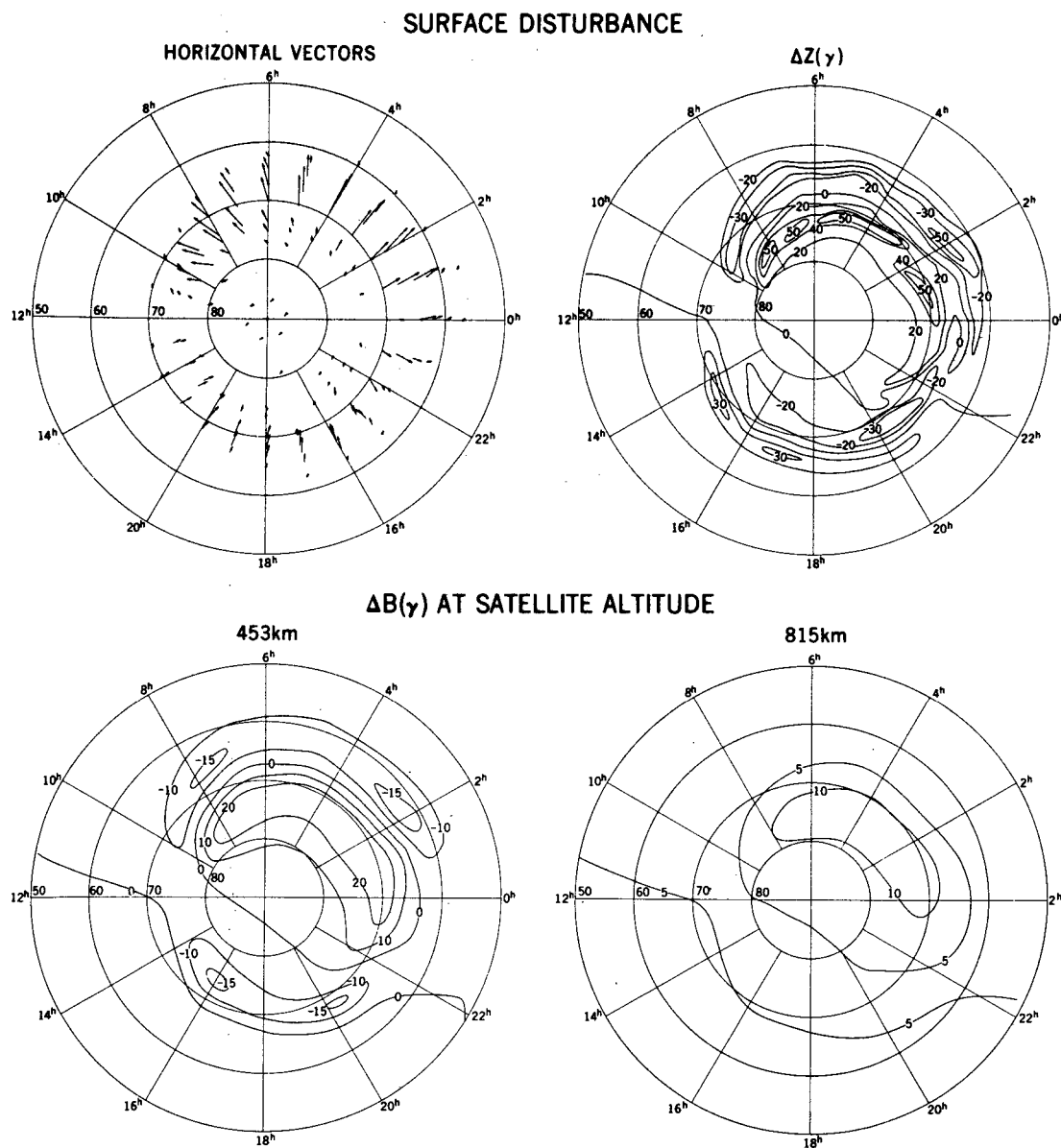


Figure 11. Magnetic disturbance from model electrojet. Coordinates are MLT and invariant latitude. The scale for the horizontal vectors is  $200\gamma$  for a  $10^\circ$  displacement in latitude.

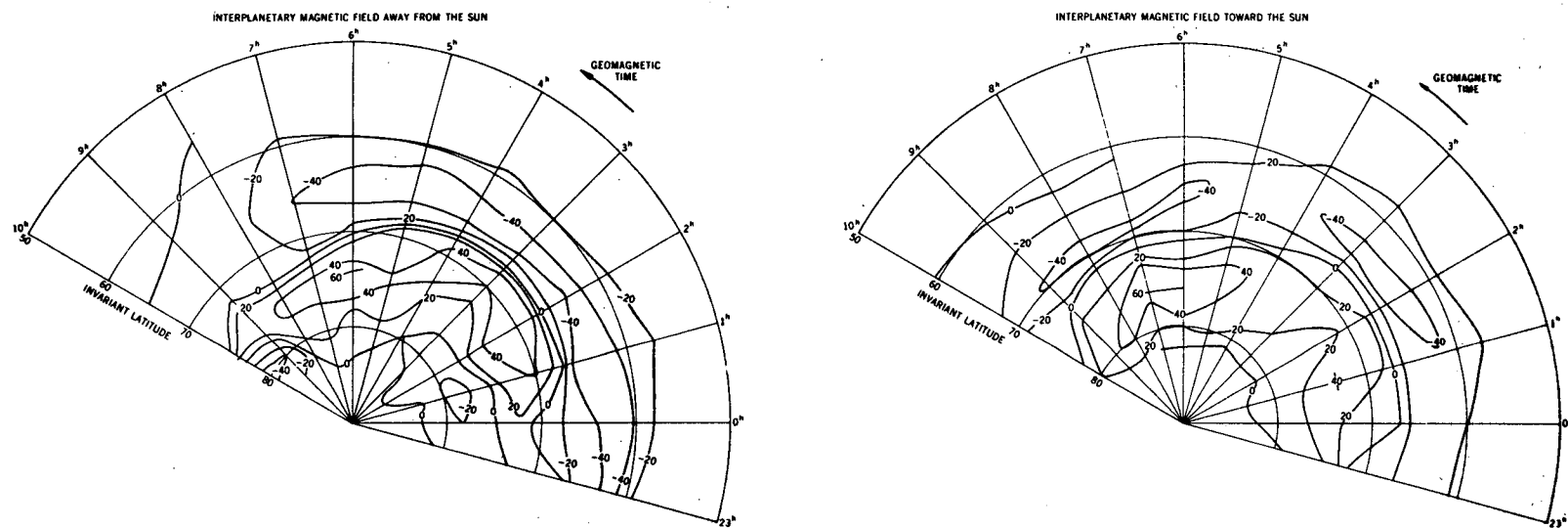
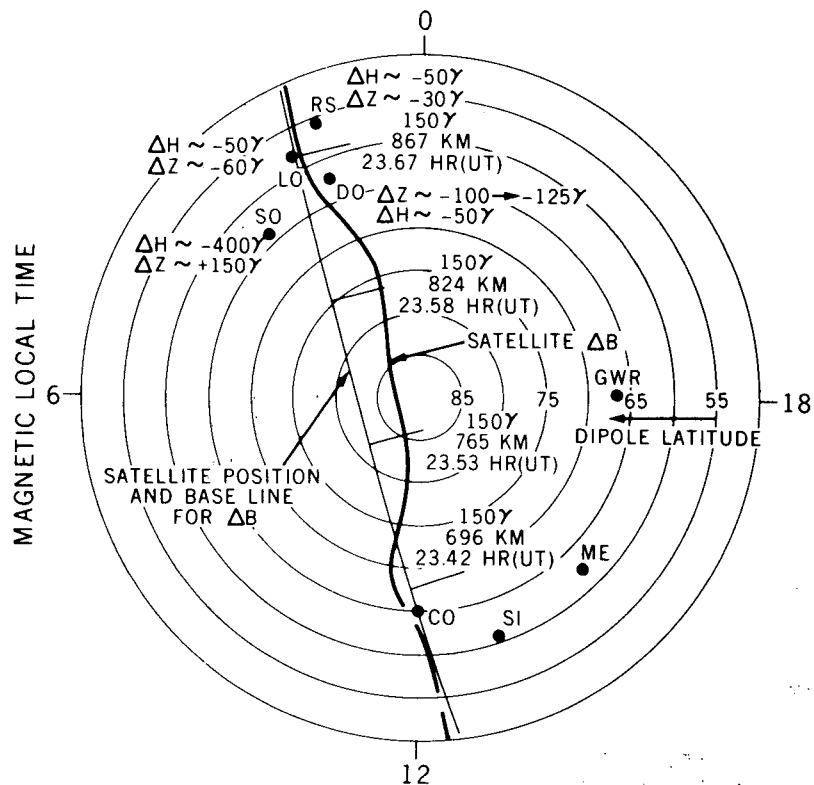


Figure 12. Measured surface  $\Delta Z$  ( $\gamma$ ) minus average  $\Delta B$  at 700-900km altitude.  $K_p = 2^-$  to  $3^+$ , geomagnetic equinox.

# OGO-4 POLAR PLOT

9/21/67, NORTH  
GEOMAGNETIC COORDINATES



# SURFACE MAGNETIC FIELD MEASUREMENTS

ARROW INDICATES TIME OF SATELLITE PASS

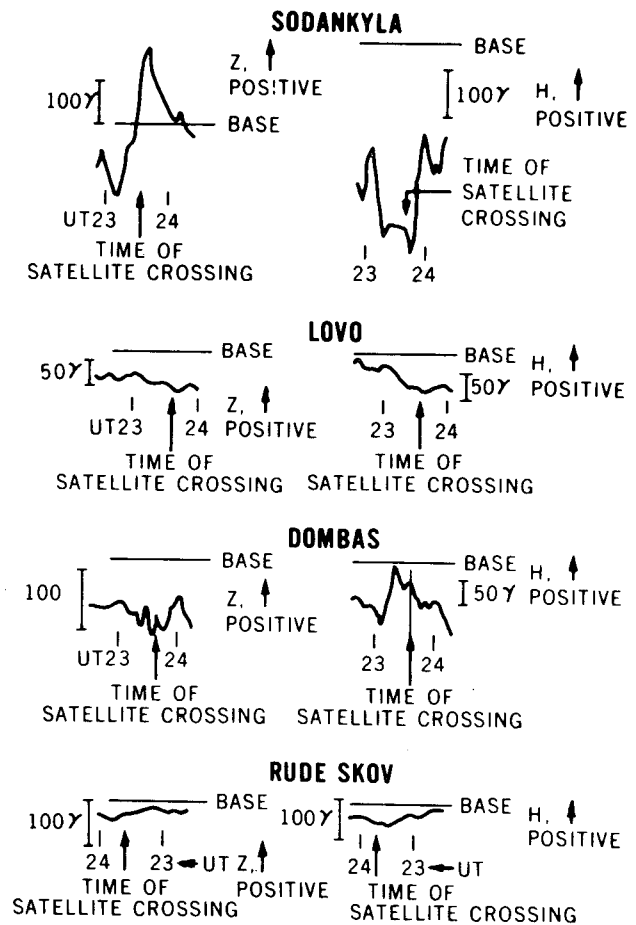


Figure 13

# **SURFACE MAGNETIC FIELD MEASUREMENTS**

**ARROW INDICATES TIME  
OF SATELLITE PASS**

## **OGO-4 POLAR PLOT**

**9/2/67, NORTH  
GEOMAGNETIC COORDINATES**

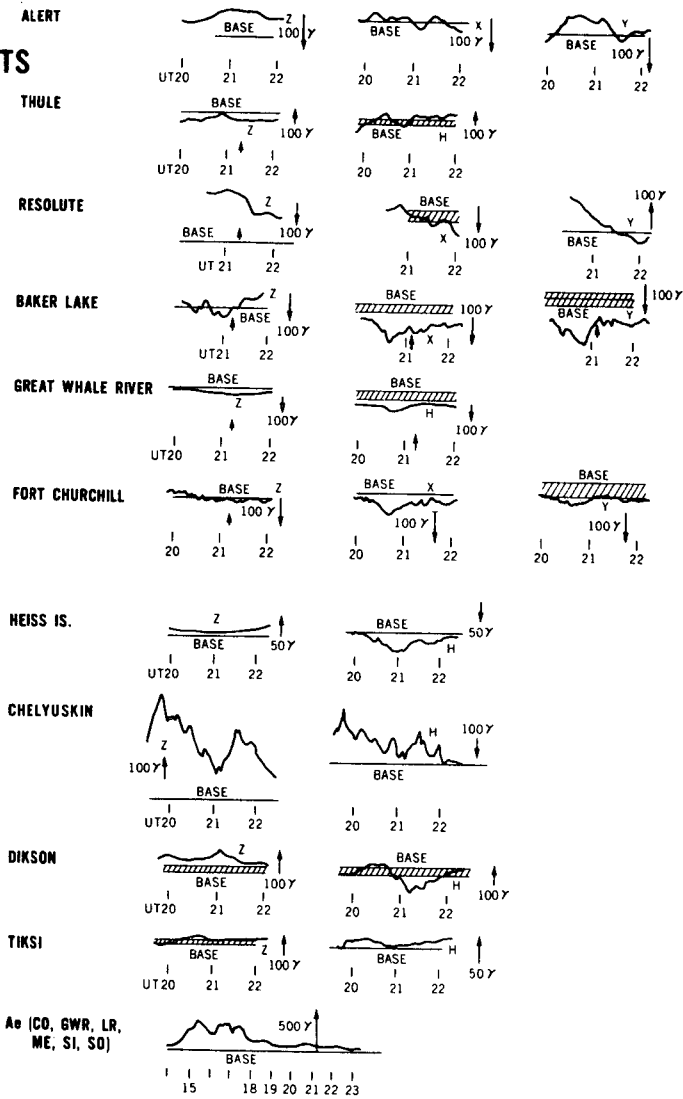
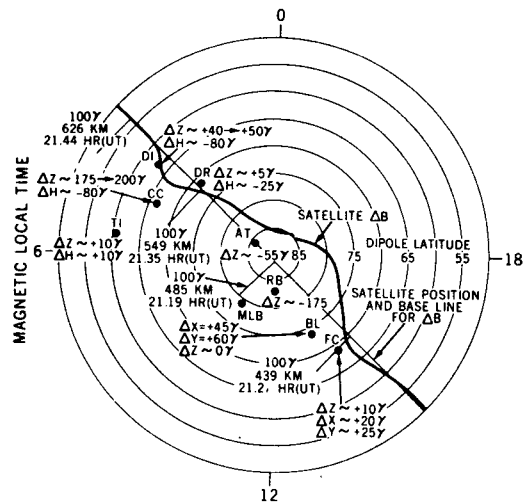


Figure 14

# SURFACE MAGNETIC FIELD MEASUREMENTS

ARROW INDICATES TIME  
OF SATELLITE PASS

## OGO-4 POLAR PLOT

9/5/67, NORTH  
GEOMAGNETIC COORDINATES

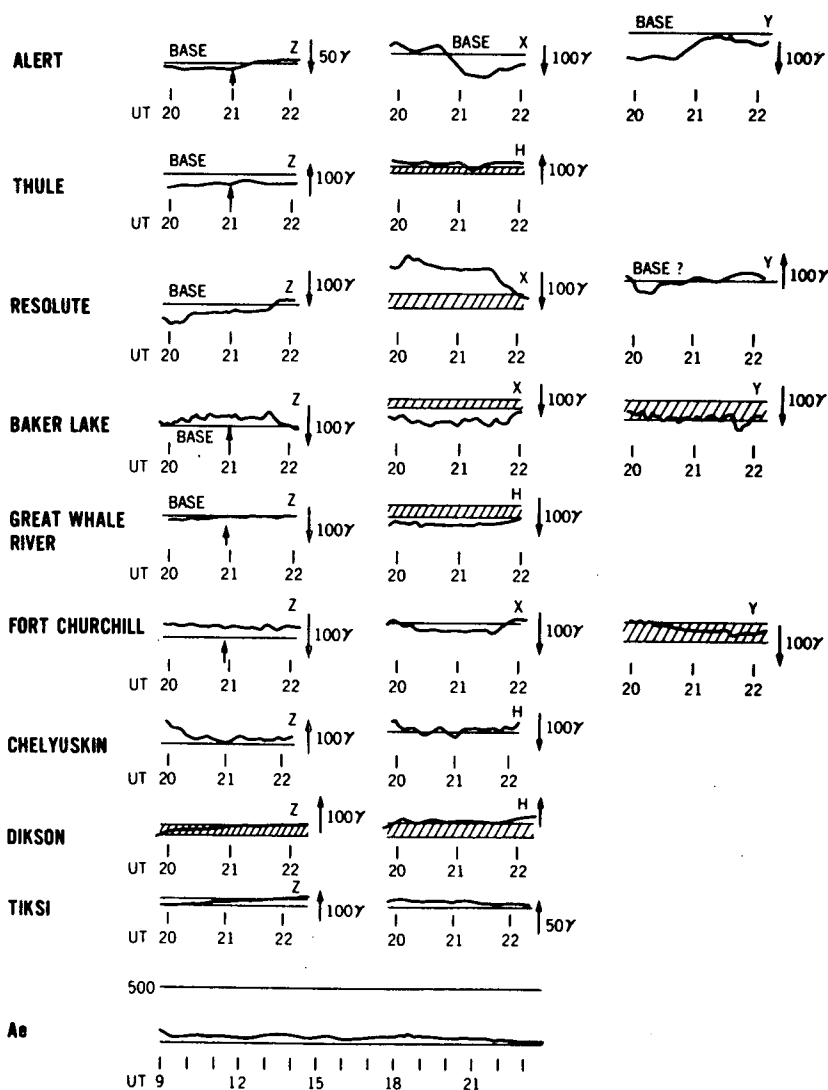
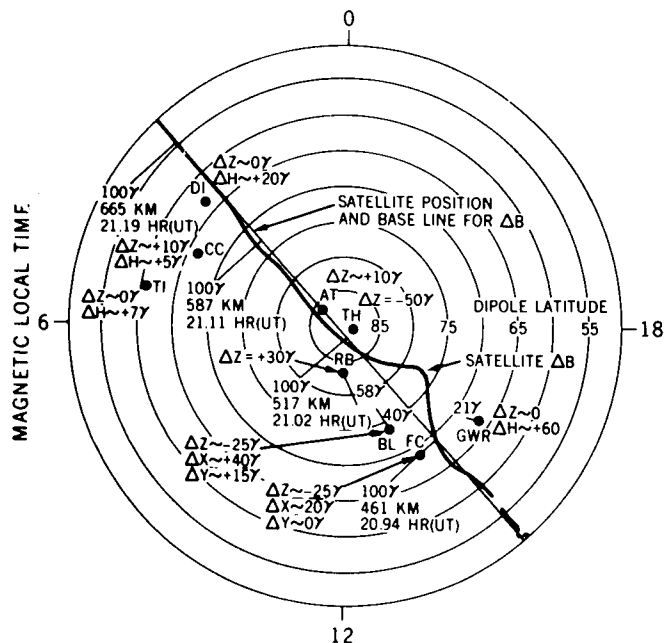
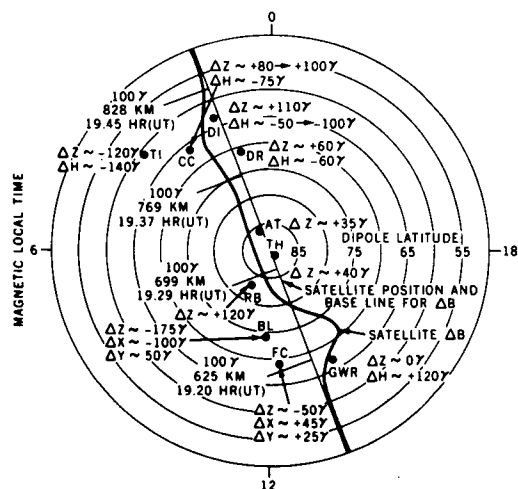


Figure 15

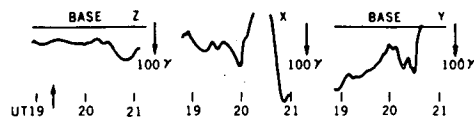
# SURFACE MAGNETIC FIELD MEASUREMENTS

ARROW INDICATES TIME  
OF SATELLITE PASS

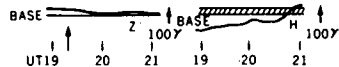
## OGO-4 POLAR ORBIT 9/19/67, NORTH GEOMAGNETIC COORDINATES



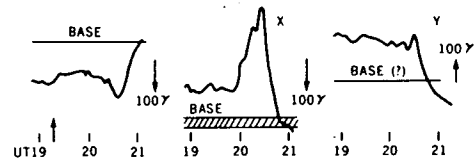
ALERT



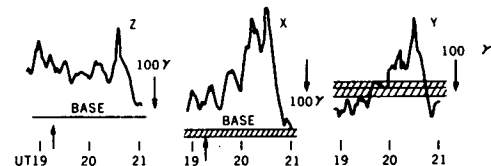
THULE



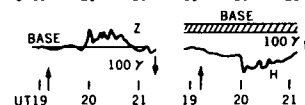
RESOLUTE



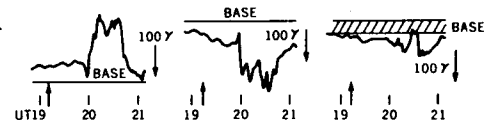
BAKER LAKE



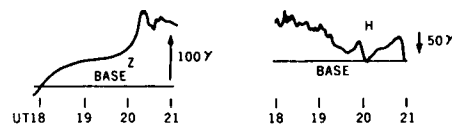
GREAT WHALE  
RIVER



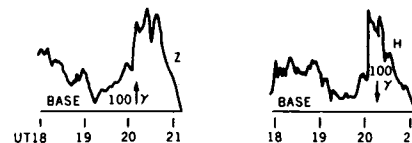
FORT CHURCHILL



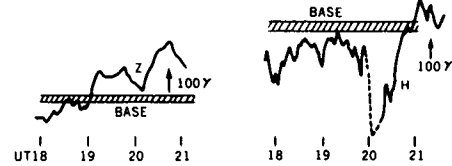
HEISS IS.



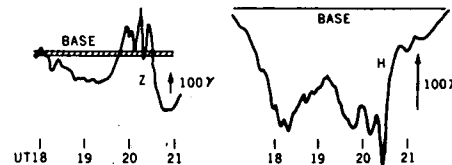
CHELYUSKIN



DIKSON



TIKSI



AO

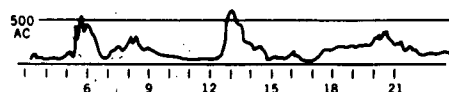
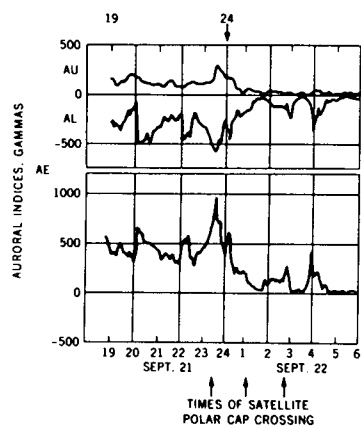


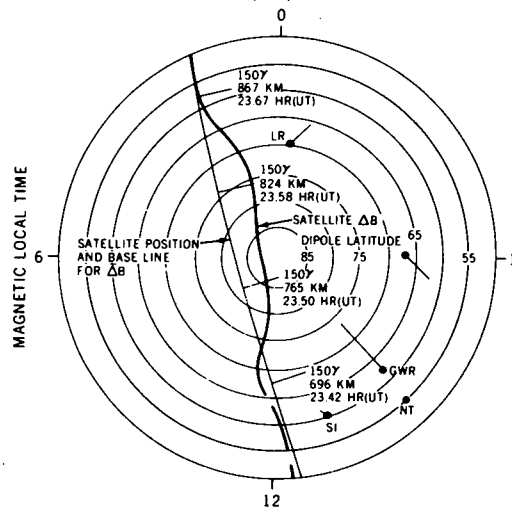
Figure 16

## CORRELATION OF POLAR ACTIVITY WITH AE INDEX

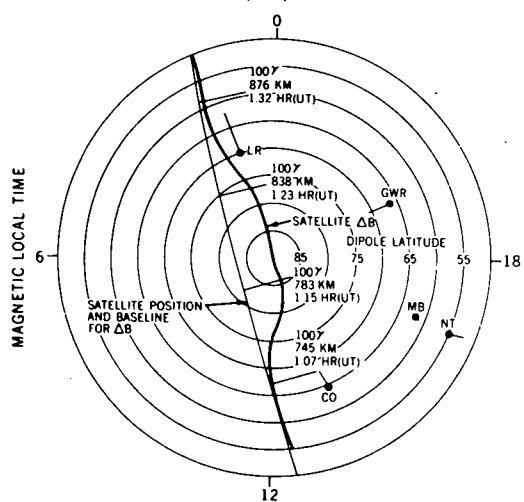
### AE PLOT



9/21/67



9/22/67



9/22/67

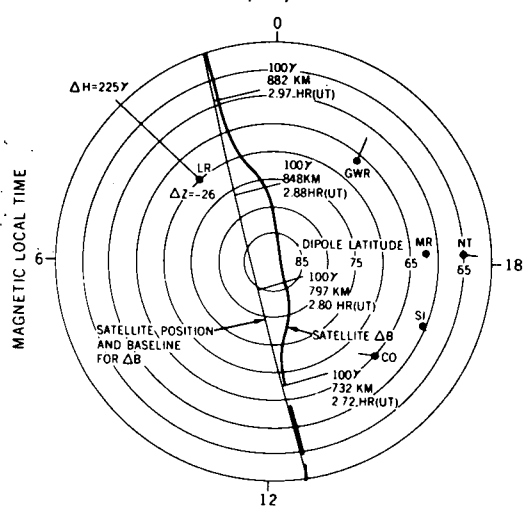


Figure 17

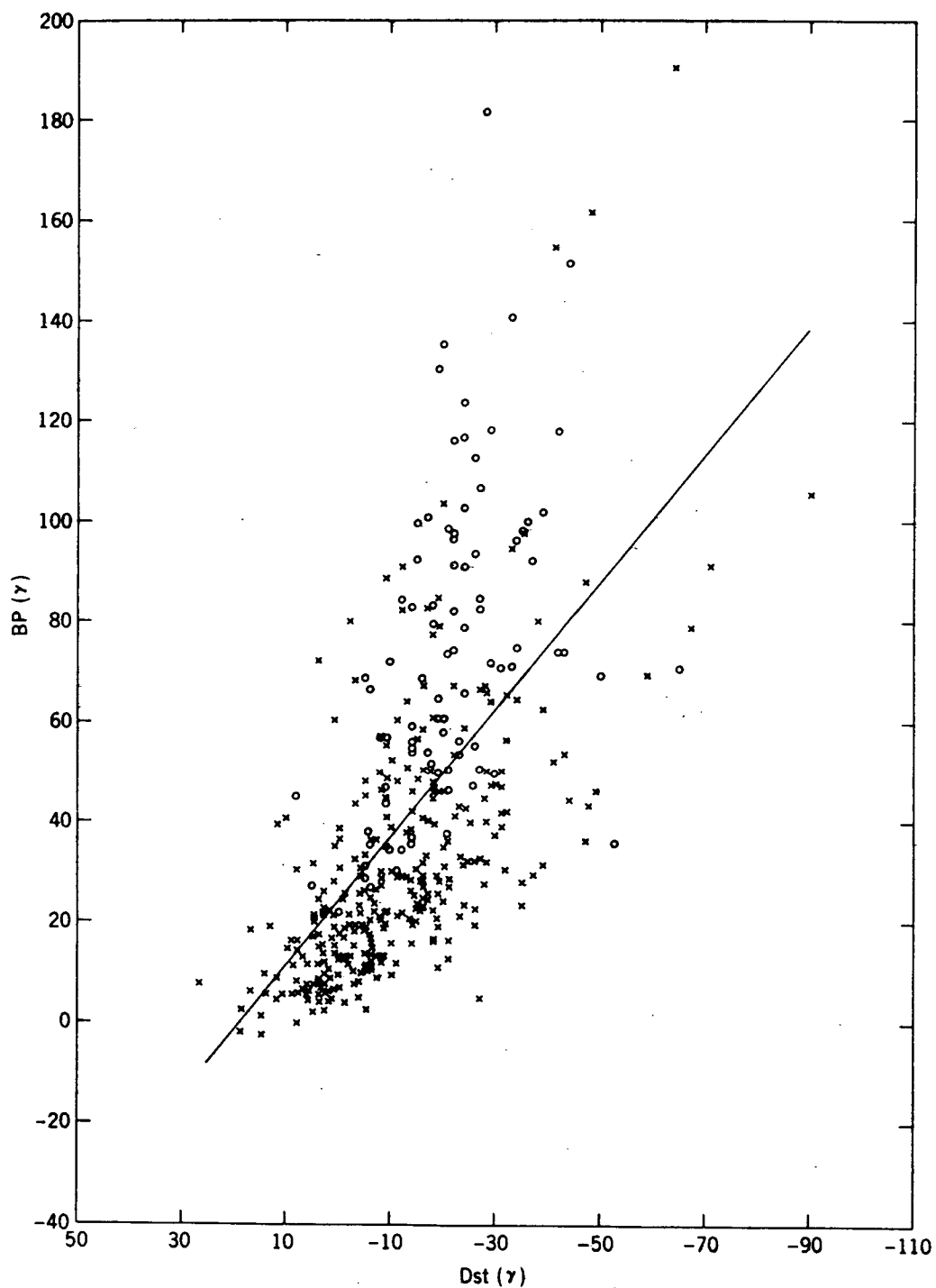


Figure 18. Bp vs Dst. BP is the maximum  $\Delta B$  from individual passes over the polar cap between 2-5<sup>h</sup> MLT. All data is for  $K_p \leq 4^-$ , altitude  $> 700$  km. x means the AL index is greater than  $-150\gamma$ , o means that AL is less than  $-150\gamma$ .



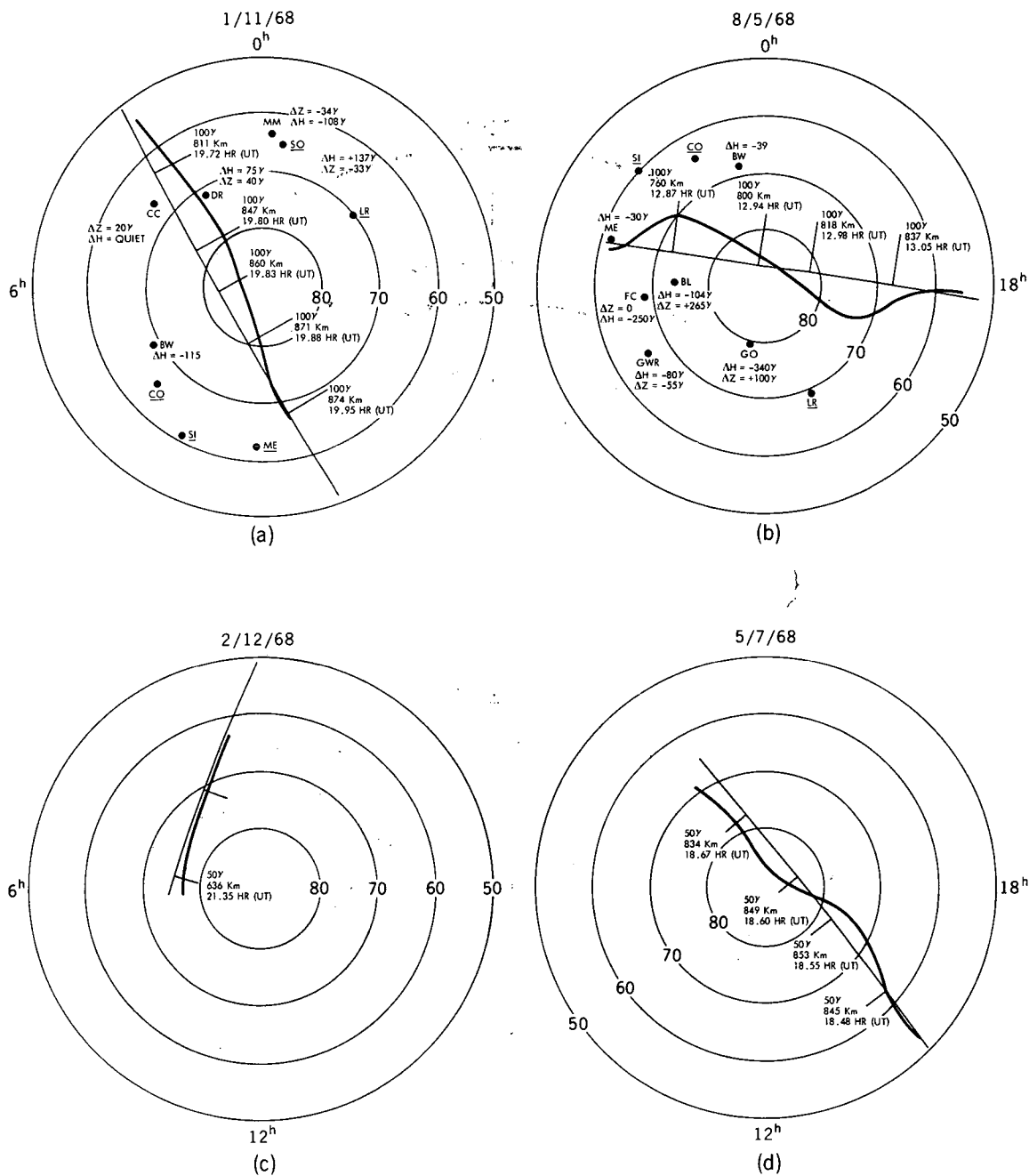


Figure 19. Example of OGO-6 data, northern hemisphere, where the positive  $\Delta B$  differs from that expected from the ECS and westward electrojet.

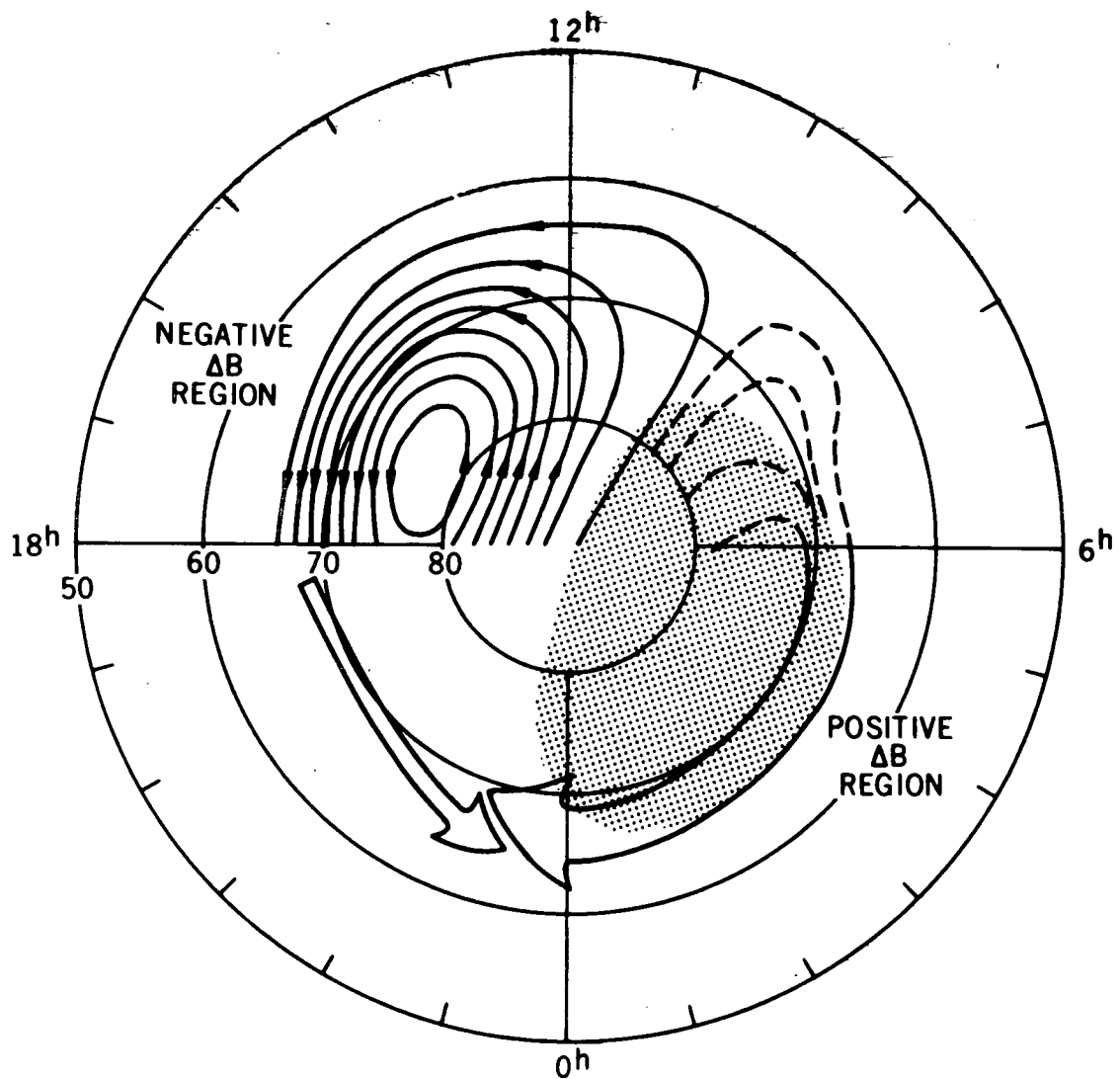


Figure 20. Conceptual drawing of proposed ionospheric source currents. The positive  $\Delta B$  region is shaded. A probable additional source is the Equatorial Current Sheet.